Advance Access publication 2020 August 20



Downloaded from https://academic.oup.com/mnras/article/498/2/2833/5894939 by Instituto Nacional de Pesquisas Espaciais user on 04 December 2020

Recovering variable stars in large surveys: EA_{up} Algol-type class in the **Catalina Survey**

A. Carmo¹⁰, ^{1*} C. E. Ferreira Lopes¹⁰, A. Papageorgiou¹⁰, ^{2,3} F. J. Jablonski¹⁰, C. V. Rodrigues¹⁰, ¹ A. J. Drake, N. J. G. Cross 5 and M. Catelan 52,3

Accepted 2020 August 13. Received 2020 July 26; in original form 2019 December 26

ABSTRACT

The discovery and characterization of Algol eclipsing binaries (EAs) provide an opportunity to contribute for a better picture of the structure and evolution of low-mass stars. However, the cadence of most current photometric surveys hinders the detection of EAs since the separation between observations is usually larger than the eclipse(s) duration and hence few measurements are found at the eclipses. Even when those objects are detected as variable, their periods can be missed if an appropriate oversampling factor is not used in the search tools. In this paper, we apply this approach to find the periods of stars catalogued in the Catalina Real-Time Transient Survey (CRTS) as EAs having unknown period (EA_{up}). As a result, the periods of \sim 56 per cent of them were determined. Eight objects were identified as low-mass binary systems and modelled with the Wilson & Devinney synthesis code combined with a Markov chain Monte Carlo optimization procedure. The computed masses and radii are in agreement with theoretical models and show no evidence of inflated radii. This paper is the first of a series aiming to identify suspected binary systems in large surveys.

Key words: methods: data analysis – techniques: photometric – astronomical data bases: miscellaneous – stars: late-type – stars: low-mass – stars: variables: general.

1 INTRODUCTION

Eclipsing binary systems (EBs) give us important clues about the fundamental basis of stellar evolution since stellar quantities such as mass, radius, and temperature of the components can be directly assessed (Andersen 1991; Torres, Andersen & Giménez 2010). Until the end of the twentieth century, EBs were almost exclusively studied on a case-by-case basis (Mowlavi et al. 2017). However, in recent years, the quality and quantity of astronomical data have significantly improved. Projects such as Massive Compact Halo Object (MACHO; Alcock et al. 1996), Optical Gravitational Lensing Experiment (OGLE; Udalski et al. 1992), Wide Field Camera (WFCAM; Hambly et al. 2008), Kepler (Borucki et al. 2010), Convection, Rotation and planetary Transits (CoRoT; Deleuil et al. 2018), Gaia (Gaia Collaboration et al. 2018), VISTA Variables in the Via Lactea (VVV; Minniti et al. 2010), Transiting Exoplanet Survey Satellite (TESS; Ricker et al. 2015), extension of Wide-field Infrared Survey Explorer (NEOWISE; Mainzer et al. 2011), and in the next few years, Planetary Transits and Oscillations of stars (PLATO; Rauer et al. 2014) and Large Synoptic Survey Telescope (LSST; Ivezić et al. 2019), detected

EBs are grouped into three main branches according to the General Catalogue of Variable Stars (CGVS; Samus et al. 2017): Algol (EA), Beta Lyrae (EB), and W Ursae Majoris (EW). In particular, several astrophysical processes like interaction between components, mass transfer, and magnetic braking can be investigated using EA systems (e.g. Qian et al. 2018). Another important feature of EA systems is that they may contain low-mass stars whose radii and masses can be known to better than 5 per cent accuracy (often better than 3 per cent; see Feiden 2015). There is a suggestion that radii of low-mass stars are inflated by more than 10 per cent in comparison with theoretical models for isolated stars (Kraus et al. 2011; Birkby et al. 2012; Feiden & Chaboyer 2012; Garrido et al. 2019). This may be associated with non-solar metallicity (Berger et al. 2006; López-Morales 2007), increased magnetic activity (Chabrier, Gallardo & Baraffe 2007; Kraus et al. 2011), or be an observational effect related to distortions in the light curves caused by spots or flares (Morales, Ribas & Jordi 2008; Morales et al. 2010). Only a small number of low-mass binaries that are detached EBs with components of late-K or M types present accurate radii determinations in the literature (Garrido et al. 2019).

Most of the known EAs are catalogued in data bases such as the OGLE (Soszyński et al. 2016), the GCVS (Samus et al. 2017), the

¹Instituto Nacional de Pesquisas Espaciais (INPE), Av. dos Astronautas, 1758 - São José dos Campos, SP 12227-010, Brazil

²Instituto de Astrofísica, Facultad de Física, Pontificia Universidad Católica de Chile, Av. Vicuña Mackenna 4860, 7820436 Macul, Santiago, Chile

³Millennium Institute of Astrophysics, Santiago, Chile

⁴California Institute of Technology, 1200 E. California Blvd, Pasadena, CA 91125, USA

⁵SUPA (Scottish Universities Physics Alliance) Wide-Field Astronomy Unit, Institute for Astronomy, School of Physics and Astronomy, University of Edinburgh, Royal Observatory, Blackford Hill, Edinburgh EH9 3HJ, UK

and will detect a large number of variable sources and a great effort is being made to provide tools for the analysis of such huge data sets.

^{*} E-mail: ayssesdocarmo@gmail.com

2834 A. Carmo et al.

International Variable Star Index (VSX) by the American Association of Variable Star Observers (AAVSO; Watson, Henden & Price 2006), the All-Sky Automated Survey (ASAS; Richards et al. 2012), the Large sky Area Multi-Object fiber Spectroscopic Telescope (LAM-OST) survey (Qian et al. 2018), the Lincoln Near-Earth Asteroid Research (LINEAR) survey (Palaversa et al. 2013), and the Catalina Real-Time Transient Survey (CRTS; Drake et al. 2014). Although the number of catalogued EAs is fairly large, the observational strategies in the surveys vary a lot, and the methodologies for finding periods may fail in cases having narrow eclipses or few data points during these events. Ferreira Lopes, Cross & Jablonski (2018) discussed the influence of the resolution of the frequency grid in the search for periodicities in EAs. They have succeeded in finding periods for four objects previously identified by Drake et al. (2014) as having insufficient number of observations in the eclipses.

This work is the first of a series in an attempt to determine the periods of EAs having narrow eclipses adopting the methodology proposed by Ferreira Lopes et al. (2018). Here we focus on EAs from CRTS with unknown period (EA_{up} class). We have a particular interest in investigating the relatively rare low-mass binary systems. This paper is organized as follows. Section 2 presents the sample of objects analysed. Section 3 presents a general discussion on the methods of periodic signals search. In Section 4, three methods of period search are applied to the sample of interest. Section 5 shows the characteristics of the EAs found in this work, the criteria to select low-mass stars, the method to obtain the individual stellar parameters, and an analysis of low-mass stars in the radius inflation context. Finally, the conclusions are presented in Section 6.

2 DATA: THE CRTS EA SAMPLE

The CRTS¹ consists of a collaboration in which three telescopes are used aiming to discover near-Earth objects (NEOs) and potentially hazardous asteroids (PHAs).2 The project covers the sky in the range of declinations $\delta = [-75^{\circ}, +65^{\circ}]$ and avoids crowded regions near to the Galactic plane ($|b| < 15^{\circ}$). The images are unfiltered to maximize the throughput and the photometry is carried out using the SEXTRACTOR photometry package (Bertin & Arnouts 1996). Based on data from the 0.7-m Catalina Schmidt Survey (CSS) telescope, Drake et al. (2014) identified 47 000 variable sources from the public Catalina Data Release 1 (CSDR1; Drake et al. 2012), which together with objects from the other surveys produced an on-line catalogue of 61 000 variable objects. Among them, 4680 objects are classified as EA binary systems. From the reanalysis of Papageorgiou et al. (2018), there are 3456 bona fide EA detached systems in that sample; they will be used for run time evaluations in a following subsection in this paper. For the scope of this work, we focus on the 153 EA_{up} systems listed in Drake et al. (2014), which were classified as unknownperiod eclipsing binary candidates. In other words, these are objects that present variability typical of eclipsing variables (i.e. excursions to lower states of brightness) but had an insufficient number of observations in the eclipses for full characterization.

3 METHODOLOGY FOR PERIODIC SIGNALS SEARCH

A first step in mining variable stars in large photometric surveys is the detection of changes in a source's brightness. Once the objects presenting variability have been found, a second step is the search for periodicities (e.g. Wozniak 2000; Shin, Sekora & Byun 2009; Ferreira Lopes et al. 2015a; Ferreira Lopes & Cross 2016, 2017).

The identification of variability does not guarantee that the object is periodically variable. In this sense, EA-type stars can be missed both in target selection and in the periodicity search. The latter happens when the number of measurements at the eclipses is small and because outside the eclipses the variations are essentially due to noise.

The periodicity search methods usually applied to astronomical time series rely on figures of merit. In terms of the associated phase diagram at each frequency grid point, these figures of merit measure correlations or some sort of ordering. Several works discuss the efficiency in finding periodic signals in astronomical time series (e.g. Heck, Manfroid & Mersch 1985; Swingler 1989; Schwarzenberg-Czerny 1999; Shin & Byun 2004). Graham et al. (2013) tested 11 different methods for 78 types of variable stars. They find that the phase dispersion-based techniques give the best results, but there are clear dependencies on object class and light-curve quality.

In this work, three common period search methods were used: the generalized Lomb–Scargle periodogram (GLS; Lomb 1976; Scargle 1982; Zechmeister & Kürster 2009), the string length method (STR; Dworetsky 1983), and the phase dispersion minimization method (PDM; Stellingwerf 1978, 2011). The three methods mentioned above have figures of merit based on different premises. The performances of these methods to detect EA periodicities are compared in this section.

For unevenly spaced data, as is the case for most of the present surveys, we face an additional difficulty: the Nyquist frequency, $f_{\rm Ny}$, has not a precise definition anymore, and the frequency grid is consequently not well defined as well. Ferreira Lopes et al. (2018) derived an expression (see equation 1) that parametrizes the frequency resolution in terms of an oversampling factor with respect to the ideal, equally spaced times series case. The number of frequencies N_f is given by

$$N_f = \frac{(f_{\text{max}} - f_{\text{min}}) T_{\text{tot}}}{\delta_{\phi}},\tag{1}$$

where $f_{\rm max}$ and $f_{\rm min}$ are the maximum and minimum search frequencies, T_{tot} is the total time baseline of the observations, and δ_{ϕ} is a parameter that measures meaningful phase variations in the phase diagram when considering changes in frequency, f. We see that δ_{ϕ} = 1 corresponds to the minimum frequency sampling for an equally spaced times series when $f_{\min} = 0$ and $f_{\max} = f_{\text{Ny}}$. The quantity $1/\delta_{\phi}$ is called oversampling factor and has been used in expressions similar to equation (1) to define the frequency grid (Schwarzenberg-Czerny 1996; Debosscher et al. 2007; Richards et al. 2012; VanderPlas & Ivezić 2015; VanderPlas 2018). The f_{\min} value, even though being formally zero for equally spaced data, is usually defined as $2/T_{\rm tot}$ to include at least two cycles of the longest period searched in the time series. f_{max} is the upper limit in frequency, and for an equally spaced times series with step δt , $f_{\text{max}} = f_{\text{Ny}} = 0.5/\delta t$. Prior knowledge on the shape of the periodic signal allows us to go far beyond the Nyquist limit, even for the ill-defined case of unevenly spaced data. Examples are the empirical values such as $f_{\text{max}} = 10 \,\text{d}^{-1}$ (Debosscher et al. 2007; Richards et al. 2012; De Medeiros et al. 2013) or even larger (Schwarzenberg-Czerny 1996; Damerdji, Klotz & Boër 2007; Ferreira Lopes et al. 2015a, 2020).

The shape of the light curve has an important role in defining the grid of frequencies. Since eclipsing binaries in general have a strong first harmonic of the fundamental frequency, even in the ideal case of equally spaced data, the description of the light curve (e.g. in

¹http://crts.caltech.edu/

²https://catalina.lpl.arizona.edu

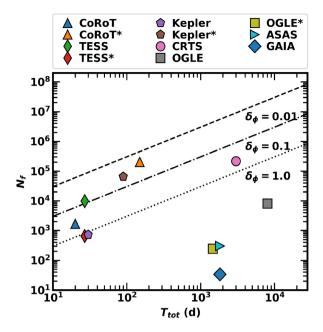


Figure 1. The number of frequencies, N_f , versus total observation time, $T_{\rm tot}$, for a number of recent surveys. The symbol * marks different combinations of cadences and total observing time. N_f assumes a *median* interval between observations, δt , which would imply a Nyquist frequency $1/(2\delta t)$ for an equally spaced time series. The dotted line indicates a desirable sampling of $f_{\rm max} = 30\,{\rm d}^{-1}$, with δ_ϕ from equation (1) set to 1. The vertical distance from the points to this line indicates how much the minimal grid of frequencies should be augmented to reach $30\,{\rm d}^{-1}$ sampling. The dot–dashed and dashed lines correspond to oversampling factors of 10 and 100, or $\delta_\phi=0.1$ and 0.01, respectively.

Table 1. $E_{\rm rate}$ for the GLS, PDM, and STR methods. Hits consist of fractional differences in the period identified with respect to the catalogued value of less than 1 per cent. The sample used consists of 3456 detached EAs catalogued by Papageorgiou et al. (2018).

Method	Hits (%)	Multiples (%)	Misses (%)		
GLS	2	84	14		
PDM	11	82	7		
STR	50	33	17		

terms of Fourier components) would need at least twice the frequency sampling limit needed for the fundamental frequency alone. Fig. 3 in Ferreira Lopes et al. (2018) illustrates how the choice of the oversampling factor $(1/\delta_\phi)$ is important for detecting periodicities. It contains five phase diagrams of different types of variable stars. Detection of EAs is the most dependent on the oversampling factor. For instance, the use of a value of $\delta_\phi = 0.2$, i.e. an oversampling of a factor of 5, still produces a blurred phase diagram. This means that the frequency grid spacing should be finer to unambiguously identifying the correct orbital period of EAs.

Fig. 1 shows the plane N_f (number of frequencies in the frequency grid) versus $T_{\rm tot}$ (total observation time) for a number of recent surveys, given the *median* sampling time, δt , of each survey. The dotted line shows the locus of equation (1) for a target ($f_{\rm max}-f_{\rm min}$) = $30\,{\rm d}^{-1}$ and $\delta_\phi=1$. Values of the oversampling factor $1/\delta_\phi$ of 10 and 100 are shown for reference. Surveys such as *Kepler*, CoRoT, and TESS have relatively small values of $T_{\rm tot}$ but a good cadence, so they can even surpass the exemplified goal of having ($f_{\rm max}-f_{\rm min}$) = $30\,{\rm d}^{-1}$. The other surveys have poorer cadences and require extending the natural frequency grid, besides oversampling it to probe

time-scales of variability of the order of hours. One might ask what are the effects of integration time on the frequency domain. Since the measurements are mathematically equivalent to the convolution of Dirac- δ functions (the sampling) with a boxcar (the integration time), the result in the frequency domain is suppression of the high frequencies, as in the case for an equally spaced series. For the CRTS, the integration time is typically 30 s and the median sampling is \sim 20 min, meaning that the suppression of high frequencies is small.

3.1 Run time and hit rate

To test with different values of δ_{ϕ} , we called the GLS, PDM, and STR procedures in a single loop for which the total run time of an object is the sum of the times spent to run each of the three methods. Obviously, the run time is directly proportional to the product $N_f \times N_p$, where N_p is the number of points in the light curve. A fiducial mark for this is a run time of 13 s to explore a data set with $N_p = 312$ points and $N_f = 2 \times 10^5$ frequencies. We also define an efficiency rate, $E_{\rm rate}$, which is calculated as follows.

We used the sample of 3456 detached EAs catalogued by Papageorgiou et al. (2018) as a reference since those systems have well-determined periods. We ran experiments with an oversampling factor of 100 (or $\delta_{\phi} = 0.01$) and $N_f = 2 \times 10^6$. $E_{\rm rate}$ is the fractional number of systems for which we can recover the correct orbital period with a difference less than 1 per cent from the catalogued value. Table 1 summarizes the results for the different methods. The second column represents direct detections of the fundamental frequency and the third column corresponds to harmonics and subharmonics.

Periodicity search methods often find values that are half or multiples of the correct period when we take into account that the shape of the light curve of an eclipsing binary (especially detached systems) is very well defined. Cases of exactly equal components are relatively rare compared to the spurious cases. Hits at 1/2 times the correct period are expected, since Fourier-based methods are sensitive to a single harmonic frequency, and the first harmonic of the fundamental orbital frequency may have a larger amplitude than the fundamental. This problem is known and discussed in the literature (e.g. Richards et al. 2012; Drake et al. 2014). Even the better behaved methods as STR and PDM may be fooled by the presence of particular configurations in the folded light curve or by chance arrangements due to noise. We see that the most reliable method in terms of direct hits is STR, which found the catalogued periodicity for 50 per cent of the objects in the test sample. If we add to this the detections of multiples, $E_{\text{rate}} = 83$ per cent. The count of successes in this form is even better for PDM, with $E_{\text{rate}} = 93$ per cent. GLS also performs well, with $E_{\text{rate}} = 85$ per cent. The three methods combined allow recovering 98 per cent of the periods.

The most common reasons for misses are strong levels of noise, outliers that deviate substantially from the mean noise characteristics, and cases with period close to multiples of 1 d. The GLS method has only \sim 2 per cent of hits, but this is not surprising considering that we are treating highly non-sinusoidal light curves with poor sampling in time. The PDM method has a better performance compared to GLS, finding the correct periodicity for 11 per cent of the objects in the test sample, but we have to recall that this method suffers in the case of small number of data points and big gaps in the phase diagram.

4 SEARCHING FOR THE PERIODS OF EA_{UP} STARS

Guided by the benefits of oversampling and by careful examination of the phase diagrams once a signal is detected, we examined the

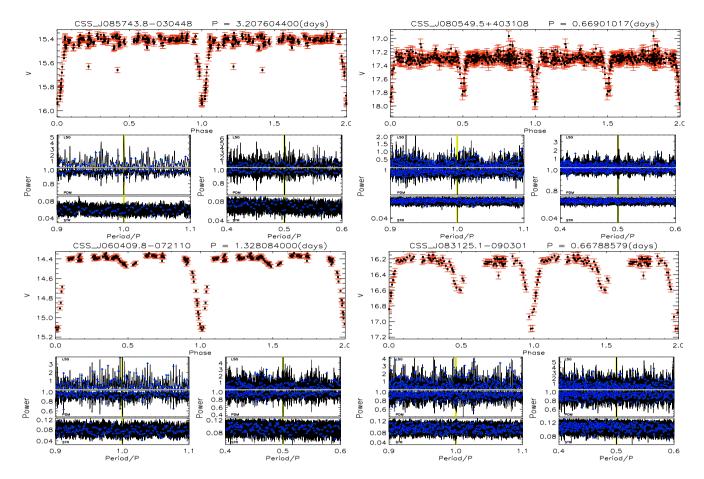


Figure 2. Phase diagrams and periodograms for four EA_{up} CRTS objects with new period determinations. For each object, the bottom panels show the GLS, PDM, and STR periodograms for the main variability period P (left-hand panels) and the first harmonic, 0.5P (right-hand panels). A vertical yellow line highlights the main variability period. The periodograms in black use the frequency grid adopted in this work ($\delta_{\phi} = 0.01$). The blue crosses show the periodograms using a coarser grid. The object name and period found are shown at the top of the each diagram.

folded light curves of the 153 EA_{up} listed in Drake et al. (2014). Table A1 in Appendix A shows the parameters related to the period search in the EA_{up} sample. Convincing light curves were obtained for 87 sources, i.e. 56 per cent of the EA_{up} sample. From now on, we will refer to this set of objects as 'iEA': a shortcut for 'sample of newly identified eclipsing binaries among the EA_{up} of Drake et al. (2014)'.

Fig. 2 shows periodograms and folded light curves for four iEA objects. The lower panels illustrate how a fine frequency grid (in black, $\delta_{\phi}=0.01$) improves the detection of signals since the frequency grid points are closer to the true frequency. An inadequate, coarse frequency grid (in blue) may miss completely the correct peaks.

5 RESULTS AND DISCUSSION

To have a broad view about the characteristics of the sample of newly identified objects, we compare in Fig. 3 the properties of iEA systems with those of the EAs previously identified by Drake et al. (2014). The main results for each panel are summarized below.

- (a) The time windows of the iEA and EA samples did not present any significant difference, as expected.
- (b) The iEAs had a smaller number of observations in comparison with the EA sample, the medians being 200 and 332 observations, respectively. In other words, the iEAs had 40 per cent fewer observations than the EA sample.

- (c) The median magnitudes were 15.08 and 15.85 mag for the iEA and EA samples, respectively. It means that the iEAs were slightly brighter than the EAs, on average by 0.77 mag.
- (d) Our approach tends to be more efficient in EAs with depth of eclipse shallower than 0.25 mag.
- (e) The period distributions of iEAs and EAs showed median values of 2.12 and 0.87 d, respectively. This indicates we were identifying a number of long-period systems, which have a poor sampling due to the small number of points in the light curve.
- (f) The same behaviour found in panel (e) was seen when other catalogues are considered. The median periods within the range of 0–8 d were 1.49 and 1.50 d for the AAVSO (Watson et al. 2006) and ASAS (Richards et al. 2012) catalogues, respectively.

Overall, our approach detected EA systems having longer periods (lower number of cycles in the total time span of the observations) and smaller number of observations. We used the Mann–Whitney *U*-test statistics to evaluate if the iEA and EA samples belong to the same parent population. For the relevant parameters (panels c–f in Fig. 3), the null hypothesis that the samples belong to the same parent population is not accepted at the 99 per cent confidence level. Given the sizes of the samples, this suggests that the entanglement of poor sampling in terms of cadence and small number of samples may have an important impact on any attempt to derive statistical properties from time-sparse surveys.

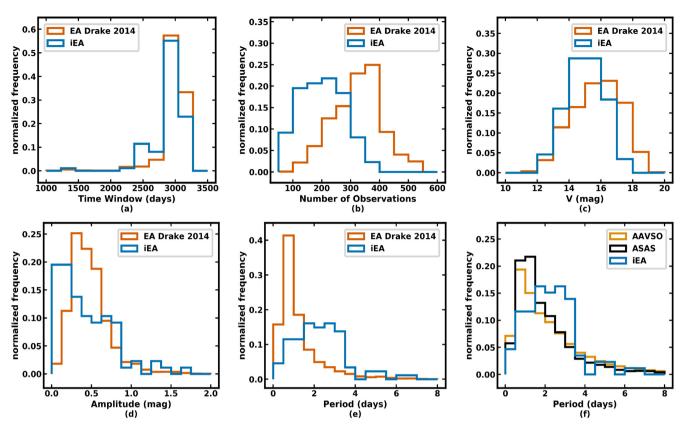


Figure 3. Panels (a)—(e) compare the iEA sample with the catalogue of EAs with known periods from Drake et al. (2014). Panel (f) compares the period distribution of the iEA with objects having periods up to 8 d in other catalogues from the literature (AAVSO and ASAS).

5.1 Low-mass eclipsing binaries

Given the importance of low-mass stars to study theoretical models of stellar structure and evolution, we used colour criteria to look for low-mass stars within the iEA sample. The first step was to transform $V_{\rm CSS}$ to Johnson V. We used the expression presented in Drake et al. (2013):

$$V = V_{\text{CSS}} + 0.31 \times (B - V)^2 + 0.04. \tag{2}$$

The (B-V) index came from the AAVSO Photometric All Sky Survey (APASS) catalogue (Henden et al. 2015). The photometric uncertainties of the original CSS data were determined using an empirical relationship between source flux and the observed photometric scatter. Graham et al. (2017) presented a correction for the estimated error (see their fig. 1). An analytical fit to this correction is shown in Papageorgiou et al. (2018), which we used here.

We adopted the colour criteria of Papageorgiou et al. (2018) to select low-mass stars candidates. They were $V - K_{\rm S} > 3.0$ mag, according to Hartman et al. (2011), 0.35 < J - H < 0.8 mag and $H - K_{\rm S} \le 0.45$ mag, based on Lépine & Gaidos (2011) and Zhong et al. (2015). Infrared colours were obtained from the Two Micron All Sky Survey (2MASS) $JHK_{\rm S}$ photometry (Cutri et al. 2003). For both 2MASS and APASS catalogues, we performed a conservative search within a radius of 2 arcsec at the position of each iEA object. 22 objects do not have APASS (B - V) colour information; for these, we apply the transformation from 2MASS colours to the Johnson–Cousins system, as provided by Bilir et al. (2008, their equation 16).

The literature data were collected from VizieR catalogues using the ASTROQUERY modules that handle VizieR and CDS catalogues and

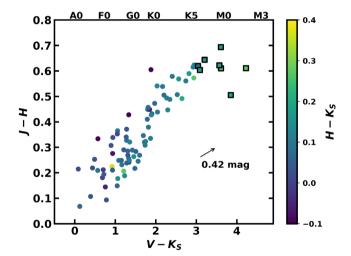


Figure 4. Colour–colour diagram in the near-infrared for 87 iEA objects. The corresponding spectral type for a given $V-K_{\rm S}$ according to Pecaut & Mamajek (2013) is shown in the top axis. The squares represent our eight low-mass candidates, which correspond to K5–M3 main-sequence stars. The arrow indicates the mean value of the extinction for the iEA sample.

ASTROPY tools³ (Astropy Collaboration et al. 2013; Price-Whelan et al. 2018). The reddening value in the V band was calculated using E(B-V) values by Green et al. (2018) and a total-to-

³http://www.astropy.org

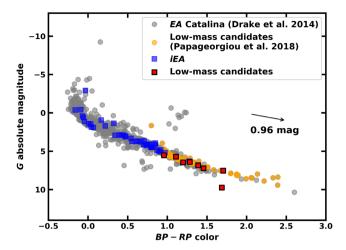


Figure 5. Colour–absolute magnitude diagram for different samples of EAs. The objects from the Drake et al. (2014) catalogue are depicted in grey dots. In yellow dots, objects selected by Papageorgiou et al. (2018) as low-mass objects. The red squares are the low-mass iEA candidates from this work. The blue squares represent the remaining iEAs. The reddening vector was calculated from the mean value of the extinction for all iEAs.

selective extinction ratio $R_V = 3.1$. The PYTHON package DUSTMAPS⁴ (Green et al. 2015) allows us to use the best-fitting (maximum probability density) line-of-sight reddening corresponding to each distance modulus derived from the *Gaia* DR2. For the *JHK*_S bands, the interstellar extinction was calculated using the PYTHON package MWDUST⁵ (Bovy et al. 2016), which supports the combination of the following catalogues: Marshall et al. (2006), Green et al. (2015), and Drimmel, Cabrera-Lavers & López-Corredoira (2003). Fig. 4 shows the result of the colour criteria applied for iEAs as a colour–colour diagram, in which eight low-mass system candidates are located.

We used the Gaia data to build the color-absolute magnitude diagram of EAs as shown in Fig. 5. The extinction values A_G and $E(G_{BP}-G_{RP})$ are obtained directly from Gaia DR2. For objects that do not have these values in the catalog, we use a correction based on values of $A_V=3.1E(B-V)$, as given by Gaia Collaboration et al. (2018a, see Eq. 1). As we can see, the 8 iEAs low-mass candidates share the same region in the diagram as the low-mass systems reported by Papageorgiou et al. (2018). They have K-M spectral types with temperatures of about 4,000 K.

5.2 Low-mass stellar parameters

The light curves used in this step present long-term variations that were removed using a linear, parabolic, or sine function as in Papageorgiou et al. (2018, see section 5). Such variations can be related to stellar magnetic activity or to the presence of a third body in the system (e.g. Applegate 1992; Morales et al. 2010; Ferreira Lopes et al. 2015b; Bours et al. 2016; Almeida et al. 2019). Besides that, the presence of a non-visible third body in an eccentric orbit can cause a rapid orbital precession (Soderhjelm 1975). Therefore, in observations with many cycles, the eclipses may become shallower and shallower a long time and even disappear (Graczyk et al. 2011; Juryšek et al. 2018). For the eight low-mass stars found, objects CSS J084835.7+253917, CSS J020021.5+213412, and CSS J071357.2+342138 showed eclipses only in the first half

part of the time series. Examining in detail, we see that the absence of eclipses in the second-half of the light curves is consistent with the combination of the cadence of the observations and the orbital period itself.

The light curves of the low-mass iEA candidates were modelled with the Wilson-Devinney (WD) code (Wilson & Devinney 1971), which is widely used for the analysis of eclipsing binary data. The Markov chain Monte Carlo (MCMC; Metropolis et al. 1953) method was used to find the modal values of the fitted parameters of the light-curve synthesis code from the probability distribution of the parameters, and consequently, an estimate of the errors associated with each parameter. Parameter convergence happens in up to \sim 50 000 iterations. The model had four free parameters: secondary temperature (T_2) , modified Kopal potentials (Ω_1, Ω_2) , and orbital inclination (i). The primary temperature T_1 was assumed to correspond to the $T_{\rm eff}$ value given in Gaia DR2. Only CSS J080549.6+403108 does not have an estimated temperature. In this case, we set T_1 based on the Gaia absolute magnitude (combined for the two stars) and the depth of the eclipses, as explained below. The mass ratio q and eccentricity e were fixed such that q = 1 and e = 0.

To limit the range of values for the parameters in a model fit, we used the total magnitude of the system as an additional constraint. The predicted total apparent magnitude outside the eclipses is estimated taking into account the interstellar extinction and the distance. As in the previous section, we adopted the distances from Bailer-Jones et al. (2018) with the revisions from Gaia Collaboration et al. (2018) and reddening from Green et al. (2018). Here the morphological parameters of the phase-folded light curves do not need a physical modelling and they were obtained with the procedure LMFIT-PY (Newville et al. 2016), which provides a least-squares minimization routine for analysis of the data. Two Gaussians for the primary and secondary eclipses plus a constant out-of-eclipses baseline were used as the model.

We assumed that the ratio of the depths of eclipses is proportional to the ratio of the individual luminosities: $\Delta I_1/\Delta I_2 \propto L_1/L_2$. Using this information, we estimated the spectral type of each component. We made use of the temperature-dependent bolometric corrections for stars in the main sequence of Pecaut & Mamajek (2013). This provides a starting point to find a solution, and helps to define the range in which each parameter is searched for. The depth ratio is also used by other authors to estimate temperatures in eclipsing systems (e.g. Armstrong et al. 2014).

Regarding other model parameters, they were fixed according to the following assumptions. The albedos were assumed to be $A_1 = A_2 = 0.5$, the gravity darkening coefficients were adopted as $g_1 = g_2 = 0.32$ considering stars with convective envelopes (Lucy 1967), and the stellar limb darkenings were set to a linear law. The third light parameter was set to $l_3 = 0$. The WD code was run in mode 2, suitable for detached systems.

The parameter ratios obtained from the WD code fitting of the light curves are very reliable. However, there is a large degeneracy in the determination of the absolute values of each component. To circumvent this problem, we followed the procedure described in Coughlin et al. (2011, section 5). It combines the observed effective temperature of the entire system, parameter ratios from the WD fitting, and theoretical values of radii and temperatures of low-mass stars. We adopted the effective temperature from Gaia, which has a typical accuracy of 324 K, for sources brighter than G=17 mag and having $T_{\rm eff}$ in the range 3000–10000 K. We used this error for all

⁴https://doi.org/10.21105/joss.00695

⁵https://github.com/jobovy/mwdust

⁶http://doi.org/10.5281/zenodo.11813

Table 2. Absolute parameters of the stellar components of the low-mass binary system candidates. The errors were estimated considering an accuracy of the effective temperature from *Gaia* of 324 K.

Name	ID	Period (d)	$T_{\rm eff} ({\rm K})$	T_1 (K)	T_2 (K)	$M_1~({ m M}_\odot)$	$M_2~({ m M}_\odot)$	$R_1~({\rm R}_\odot)$	$R_2 (R_{\odot})$	a (R _☉)
CSS J003441.8-135033	1012004004843	1.97420921	3896	3938	3844	$0.61^{+0.16}_{-0.16}$	$0.58^{+0.09}_{-0.16}$	$0.56^{+0.03}_{-0.05}$	$0.53^{+0.03}_{-0.06}$	$7.03_{-0.69}^{+0.35} 13.33_{-1.03}^{+0.62}$
CSS J145100.7+052843	1104080068168	5.06655534	3954	3974	3932	$0.62^{+0.13}_{-0.13}$	$0.61^{+0.09}_{-0.13}$	$0.43^{+0.02}_{-0.03}$	$0.42^{+0.02}_{-0.03}$	$13.33^{+0.62}_{-1.03}$
CSS J162549.4+102124	1109087063294	2.07014986	3828	3853	3800	$0.59^{+0.20}_{-0.20}$	$0.57^{+0.10}_{-0.20}$	$0.51^{+0.03}_{-0.06}$	$0.49^{+0.03}_{-0.07}$	$7.17_{-0.93}^{+0.38}$ $7.74_{-0.95}^{+0.41}$
CSS J020021.5+213412	1121011041164	2.32385716	3819	3819	3819	$0.58^{+0.20}_{-0.20}$	$0.58^{+0.10}_{-0.20}$ $0.74^{+0.08}_{-0.08}$	$0.57^{+0.03}_{-0.08}$	$0.57^{+0.03}_{-0.08}$	$7.74^{+0.41}_{-1.05}$
CSS J084835.7+253917	1126043006161	2.43505230	4510	4587	4406	$0.78^{+0.08}_{-0.08}$	$0.74^{+0.08}_{-0.08}$	$0.64^{+0.02}_{-0.02}$	$0.60^{+0.02}_{-0.02}$	$8.76^{+0.31}_{-0.32}$
CSS J071357.2+342138	1135032018057	4.87375954	3868	3896	3835	$0.60^{+0.17}_{-0.17}$	$0.58^{+0.09}_{-0.18}$	$0.62^{+0.03}_{-0.06}$	$0.59^{+0.03}_{-0.07}$	$12.79^{+0.65}_{-1.40}$
CSS J080549.6+403108	1140034027271	0.66901017	3512	3514	3510	$0.39^{+0.23}_{-0.23}$	$0.39^{+0.19}_{-0.23}$ $0.62^{+0.09}_{-0.13}$	$0.30^{+0.04}_{-0.08}$	$0.30^{+0.04}_{-0.08}$	$2.96^{+0.42}_{-0.76}$
CSS J090355.4+533132	1152031059450	0.66327468	3962	3963	3961	$0.62^{+0.13}_{-0.13}$	$0.62^{+0.09}_{-0.13}$	$0.30_{-0.08}^{+0.04} \\ 0.61_{-0.05}^{+0.03}$	$0.30_{-0.08}^{+0.04} \\ 0.61_{-0.05}^{+0.03}$	$3.44^{+0.16}_{-0.26}$

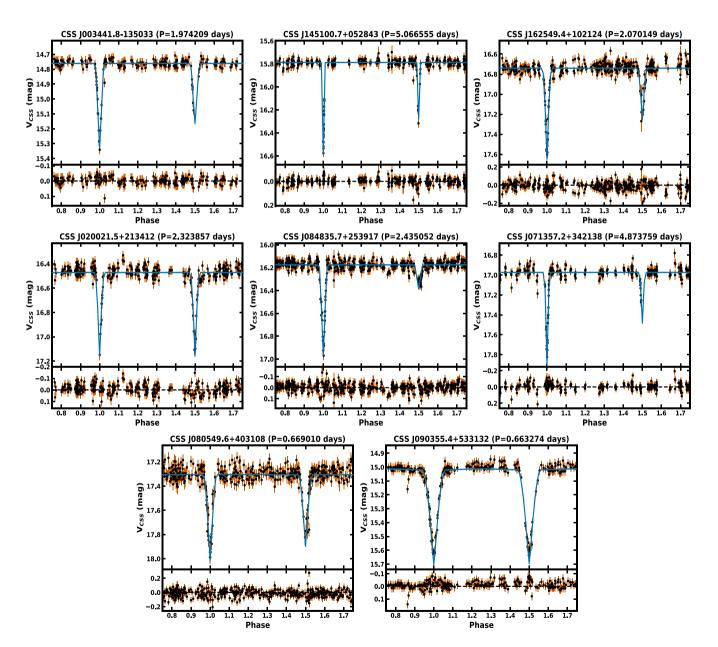


Figure 6. Phase diagrams (top panels) and residuals of the fit (bottom panels) for the eight low-mass binary system candidates (for more detail see Section 5.2). The blue line shows the best-fitting solution using the parameters found in Tables 2 and B2.

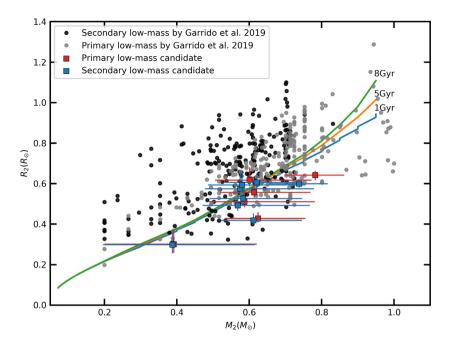


Figure 7. Radius as function of mass for low-mass stars in detached binary systems. Blue and red squares represent the primary and the secondary components of our low-mass candidates, respectively. Black and grey dots represent data from Garrido et al. (2019). The theoretical models from Baraffe et al. (1998) for 1, 5, and 8 Gyr are represented as blue, orange, and green solid lines, respectively.

eight low-mass candidates, including CSS J003441.8–135033 and CSS J080549.6+403108, which have $G \sim 17.3$ mag. From the WD fitting, we obtained the temperature ratio and $r_{\rm sum}$, which is defined by Coughlin et al. (2011) as the sum of the stellar radii divided by the binary's semimajor axis. The theoretical values of radius and temperature are those presented in Baraffe et al. (1998). We assumed an age of 5.0 Gyr and [M/H] = 0.0 for $0.075 \leq M({\rm M}_{\odot}) \leq 1.0$. The resulting absolute parameters are shown in Table 2.

Having fixed the temperatures, masses, and radii of the binary components, a second WD fit was performed to refine the inclination and potential values. The results are shown in Table B2. Fig. 6 shows the final fit obtained from Tables 2 and B2. We verified whether the fit parameters produce a distance consistent with that provided by Bailer-Jones et al. (2018). To calculate the distances, we corrected the Johnson V magnitude using the extinction provided by Green et al. (2018) and $R_V = 3.1$. The calculated distances (see Table B2) are in agreement with those found by Bailer-Jones et al. (2018). For CSS J162549.3+102124, the distance is underestimated in about 22 per cent, while for the other systems the distances differ by no more than 10 per cent from Bailer-Jones et al. (2018). These differences can be related to the $T_{\rm eff}$ estimate since the luminosity is proportional to $T_{\rm eff}^4$. For instance, the *Gaia* distance for CSS J162549.3+102124 is recovered if we assume a temperature \sim 250 K higher than that used by us.

5.3 Low-mass binaries and the radius inflation problem

Garrido et al. (2019) characterized a sample of 230 detached close-orbiting eclipsing binaries with low-mass main-sequence components ($M < 1~{\rm M}_{\odot}$), orbital periods shorter than 2 d, and temperatures below 5720 K. They suggest a trend according to which low-mass stars would have inflated radii. Besides, they found that around 61 per cent of the sample has the secondary star more inflated in radius than the primary.

In addition, Coughlin et al. (2011) reported 95 low-mass eclipsing binaries in the initial *Kepler* data release with periods as long as 10 d. They presented evidence that the radius inflation of low-mass stars in binary systems decreases for longer periods: for P < 1.0 d, the median value of the difference between the fits and theoretical radii was about 13.0 per cent, whereas for 1.0 < P(d) < 10.0 and P > 10.0 d, the value was 7.5 per cent and 2.0 per cent, respectively.

Fig. 7 presents a mass–radius diagram for low-mass stars in binaries, where the objects found in this work are shown in red and blue, and the sample from Garrido et al. (2019) in black and grey. The lines represent theoretical models from Baraffe et al. (1998) with isochrones of 1, 5, and 8 Gyr for solar metallicity and helium abundance Y = 0.275. The data from Garrido et al. (2019) have most points systematically above the theoretical tracks, for both primary and secondary stars.

Our sample is well distributed around the theoretical model predictions and the median value of the difference between our results and the theoretical radii was about 4.8 per cent. The error bars were asymmetric, in the sense that they were larger for negative residuals (Table 2). Only three systems of our sample had periods shorter than 2 d, unlike the periods considered by Garrido et al. (2019). Even though we have a small sample, our results do not confirm the trend of inflated radii for the components of low-mass EBs.

6 CONCLUSIONS

We reported the first determination of orbital periods for 87 EA-type EBs catalogued in Drake et al. (2014) as 'unknown period eclipsing binaries' (EA_{up}), using the approach proposed by Ferreira Lopes et al. (2018). This was \sim 56 per cent of the total number of objects in the (EA_{up}) sample. We recovered periods in data sets of poorer quality compared with previous attempts.

The sample of iEA binaries selected among the EA_{up} objects in this work tends to show longer orbital periods, slightly brighter objects, shallower eclipses, and, of course, fewer data points than the EAs

identified in the original work of Drake et al. (2014). The results exemplify how oversampling the natural frequency grid provided by the median sampling time can be effective in finding new objects having narrow eclipses in sparse time series. In future efforts, we intend to analyse other large surveys in an attempt to retrieve objects hidden by poor cadence and a small number of measurements.

A subsample of eight eclipsing binaries with K and M spectral types was selected. We have determined the stellar parameters of the binary components by modelling their light curves with the WD code. Our sample did not show clear evidence for inflated radii, either in primary or secondary components. As the radius inflation is expected to be stronger for systems with shorter periods, we cannot be surely assertive since there are only three objects with periods less than 2 d in our sample of low-mass binaries. Additional observations with radial velocities would help to constrain and refine the present individual solutions.

ACKNOWLEDGEMENTS

This study was financed in part by the Coordenação de Aperfeiçoamento de Pessoal de Nível Superior – Brasil (CAPES) – Finance Code 001. CEFL acknowledges a post-doctoral fellowship from the CNPq. NJGC acknowledges support from the UK Science and Technology Facilities Council. The authors thank to MCTIC/FINEP (CT-INFRA grant 0112052700) and the Embrace Space Weather Program for the computing facilities at INPE. CVR thanks the grant #2013/26258-4 from São Paulo Research Foundation (FAPESP) and CNPq (Proc. 303444/2018-5). Support for AP and MC is provided by Proyecto Basal AFB-170002; by the Chilean Ministry for the Economy, Development, and Tourism's Millennium Science Initiative through grant IC 120009, awarded to the Millennium Institute of Astrophysics (MAS); and by FONDECYT project #1171273.

DATA AVAILABILITY

The data underlying this paper are available in the paper and in its online supplementary material.

REFERENCES

Alcock C. et al., 1996, ApJ, 461, 84

Almeida L. A. et al., 2019, AJ, 157, 150

Andersen J., 1991, A&AR, 3, 91

Applegate J. H., 1992, ApJ, 385, 621

Armstrong D. J., Gómez Maqueo Chew Y., Faedi F., Pollacco D., 2014, MNRAS, 437, 3473

Astropy Collaboration et al., 2013, A&A, 558, A33

Bailer-Jones C. A. L., Rybizki J., Fouesneau M., Mantelet G., Andrae R., 2018, AJ, 156, 58

Baraffe I., Chabrier G., Allard F., Hauschildt P. H., 1998, A&A, 337, 403

Berger D. H. et al., 2006, ApJ, 644, 475

Bertin E., Arnouts S., 1996, A&AS, 117, 393

Bilir S., Ak S., Karaali S., Cabrera-Lavers A., Chonis T. S., Gaskell C. M., 2008, MNRAS, 384, 1178

Birkby J. et al., 2012, MNRAS, 426, 1507

Borucki W. J. et al., 2010, Science, 327, 977

Bours M. C. P. et al., 2016, MNRAS, 460, 3873

Bovy J., Rix H.-W., Green G. M., Schlafly E. F., Finkbeiner D. P., 2016, ApJ, 818, 130

Chabrier G., Gallardo J., Baraffe I., 2007, A&A, 472, L17

Coughlin J. L., López-Morales M., Harrison T. E., Ule N., Hoffman D. I., 2011, AJ, 141, 78 Cutri R. M. et al., 2003, 2MASS All Sky Catalog of Point Sources. NASA, Washington, DC(NASA/IPAC Infrared Science Archive. http://irsa.ipac.caltech.edu/applications/Gator)

Damerdji Y., Klotz A., Boër M., 2007, AJ, 133, 1470

Debosscher J., Sarro L. M., Aerts C., Cuypers J., Vandenbussche B., Garrido R., Solano E., 2007, A&A, 475, 1159

Deleuil M. et al., 2018, A&A, 619, A97

De Medeiros J. R. et al., 2013, A&A, 555, A63

Drake A. J. et al., 2012, Am. Astron. Soc. Meeting Abstr., #219, 428.20

Drake A. J. et al., 2013, ApJ, 763, 32

Drake A. J. et al., 2014, ApJS, 213, 9

Drimmel R., Cabrera-Lavers A., López-Corredoira M., 2003, A&A, 409, 205 Dworetsky M. M., 1983, MNRAS, 203, 917

Feiden G. A., 2015, in Rucinski S. M., Torres G., Zejda M., eds, ASP Conf. Ser. Vol. 496, Living Together: Planets, Host Stars and Binaries. Astron. Soc. Pac., San Francisco, p. 137

Feiden G. A., Chaboyer B., 2012, ApJ, 757, 42

Ferreira Lopes C. E., Cross N. J. G., 2016, A&A, 586, A36

Ferreira Lopes C. E., Cross N. J. G., 2017, A&A, 604, A121

Ferreira Lopes C. E., Dékány I., Catelan M., Cross N. J. G., Angeloni R., Leão I. C., De Medeiros J. R., 2015a, A&A, 573, A100

Ferreira Lopes C. E., Leão I. C., de Freitas D. B., Canto Martins B. L., Catelan M., De Medeiros J. R., 2015b, A&A, 583, A134

Ferreira Lopes C. E., Cross N. J. G., Jablonski F., 2018, MNRAS, 481, 3083 Ferreira Lopes C. E. et al., 2020, MNRAS, 496, 1730

Gaia Collaboration et al., 2018, A&A, 616, A13

Garrido H. E., Cruz P., Diaz M. P., Aguilar J. F., 2019, MNRAS, 482, 5379

Graczyk D. et al., 2011, Acta Astron., 61, 103

Graham M. J., Drake A. J., Djorgovski S. G., Mahabal A. A., Donalek C., Duan V., Maker A., 2013, MNRAS, 434, 3423

Graham M. J., Djorgovski S. G., Drake A. J., Stern D., Mahabal A. A., Glikman E., Larson S., Christensen E., 2017, MNRAS, 470, 4112

Green G. M. et al., 2015, ApJ, 810, 25

Green G. M. et al., 2018, MNRAS, 478, 651

Hambly N. C. et al., 2008, MNRAS, 384, 637

Hartman J. D., Bakos G. Á., Noyes R. W., Sipőcz B., Kovács G., Mazeh T., Shporer A., Pál A., 2011, AJ, 141, 166

Heck A., Manfroid J., Mersch G., 1985, A&AS, 59, 63

Henden A. A., Levine S., Terrell D., Welch D., American Astronomical Society Meeting Abstracts \#225, APASS - The Latest Data Release, 2015, 225, 336.16

Ivezić Ž. et al., 2019, ApJ, 873, 111

Juryšek J. et al., 2018, A&A, 609, A46

Kraus A. L., Tucker R. A., Thompson M. I., Craine E. R., Hillenbrand L. A., 2011, ApJ, 728, 48

Lépine S., Gaidos E., 2011, AJ, 142, 138

Lomb N. R., 1976, Ap&SS, 39, 447

López-Morales M., 2007, ApJ, 660, 732

Lucy L. B., 1967, Z. Astrophys., 65, 89

Mainzer A. et al., 2011, ApJ, 731, 53

Marshall D. J., Robin A. C., Reylé C., Schultheis M., Picaud S., 2006, A&A, 453, 635

Metropolis N., Rosenbluth A. W., Rosenbluth M. N., Teller A. H., Teller E., 1953, J. Chem. Phys., 21, 1087

Minniti D. et al., 2010, New Astron., 15, 433

Morales J. C., Ribas I., Jordi C., 2008, A&A, 478, 507

Morales J. C., Gallardo J., Ribas I., Jordi C., Baraffe I., Chabrier G., 2010, ApJ, 718, 502

Mowlavi N. et al., 2017, A&A, 606, A92

Newville M., Stensitzki T., Allen D. B., Rawlik M., Ingargiola A., Nelson A., 2016, Astrophysics Source Code Library, record ascl:1606.014

Palaversa L. et al., 2013, AJ, 146, 101

Papageorgiou A., Catelan M., Christopoulou P.-E., Drake A. J., Djorgovski S. G., 2018, ApJS, 238, 4

Pecaut M. J., Mamajek E. E., 2013, ApJS, 208, 9

Price-Whelan A. M. et al., 2018, AJ, 156, 123

Qian S.-B., Zhang J., He J.-J., Zhu L.-Y., Zhao E.-G., Shi X.-D., Zhou X., Han Z.-T., 2018, ApJS, 235, 5

2842 A. Carmo et al.

Rauer H. et al., 2014, Exp. Astron., 38, 249

Richards J. W., Starr D. L., Miller A. A., Bloom J. S., Butler N. R., Brink H., Crellin-Quick A., 2012, ApJS, 203, 32

Ricker G. R. et al., 2015, J. Astron. Telesc. Instrum. Syst., 1, 014003

Samus N. N., Kazarovets E. V., Durlevich O. V., Kireeva N. N., Pastukhova E. N., 2017, Astron. Rep., 61, 80

Scargle J. D., 1982, ApJ, 263, 835

Schwarzenberg-Czerny A., 1996, ApJ, 460, L107

Schwarzenberg-Czerny A., 1999, ApJ, 516, 315

Shin M.-S., Byun Y.-I., 2004, J. Korean Astron. Soc., 37, 79

Shin M.-S., Sekora M., Byun Y.-I., 2009, MNRAS, 400, 1897

Soderhjelm S., 1975, A&A, 42, 229

Soszyński I. et al., 2016, Acta Astron., 66, 405

Stellingwerf R. F., 1978, ApJ, 224, 953

Stellingwerf R. F., 2011, in McWilliam A., ed., Carnegie Obser. Astrophys.
Ser. Vol. 5, RR Lyrae Stars, Metal-Poor Stars, and the Galaxy. The Observatories of the Carnegie Institution of Washington, Pasadena, CA, p. 47

Swingler D. N., 1989, AJ, 97, 280

Torres G., Andersen J., Giménez A., 2010, A&AR, 18, 67

Udalski A., Szymanski M., Kaluzny J., Kubiak M., Mateo M., 1992, Acta Astron., 42, 253

VanderPlas J. T., 2018, ApJS, 236, 16

VanderPlas J. T., Ivezić Ž., 2015, ApJ, 812, 18

Watson C. L., Henden A. A., Price A., 2006, Soc. Astron. Sci. Annu. Symp., 25, 47

Wilson R. E., Devinney E. J., 1971, ApJ, 166, 605 Wozniak P. R., 2000, Acta Astron., 50, 421 Zechmeister M., Kürster M., 2009, A&A, 496, 577

Zhong J. et al., 2015, AJ, 150, 42

APPENDIX A: PERIODS FOR THE IEA SAMPLE

Table A1 shows the periods and the corresponding uncertainties for the iEA sample obtained in this work. These objects were found within the EA_{up} sample of objects with unknown periods from Drake et al. (2014). The methodology used is described in detail in Section 3. The CRTS name and the periods are in the first and second columns, respectively. σ_P is the error in the period considering the region of the eclipses in the phase diagram. V (mag) is the CSS magnitude, A is the amplitude, and σ_A is the amplitude error considering the region outside the eclipses in the phase diagram. Log ($T_{\rm tot}/P$) shows the number of cycles in the total time range of the observations in logarithmic scale. Large values of $\log(T_{\rm tot}/P)$ represent better period estimates. For more information, see Ferreira Lopes et al. (2018).

Table A1. Parameters for the iEA stars identified in this work. The period P in days and amplitude A in magnitudes are presented with their respective errors, σ_P (d) and σ_A (mag). The V is in magnitudes and $\log (T_{tot}/P)$ gives the number of cycles in logarithmic scale.

Name	P	σ_P	V	A	σ_A	$\log (T_{\text{tot}}/P)$
CSS J041810.3-024627	1.26948	0.00476	15.17	0.79	0.04	3.37
CSS J045516.1-004733	3.74487	0.07030	15.19	0.38	0.02	2.89
CSS J081331.4-013918	3.16895	0.01130	14.18	0.77	0.02	2.99
CSS J101000.7-010213	1.83604	0.01010	14.53	0.65	0.04	3.20
CSS J045308.6-032953	1.82278	0.10700	12.16	1.52	0.05	2.73
CSS J060321.6-040517	1.33587	0.00471	16.00	0.79	0.02	3.29
CSS J085743.8-030448	3.20760	0.02450	15.45	0.58	0.03	2.95
CSS J163922.3-031006	1.97460	0.00470	14.13	0.78	0.06	3.18
CSS J060409.8-072110	1.32808	0.00628	14.47	0.78	0.01	3.29
CSS J083118.6-081856	0.30316	0.00718	14.87	0.43	0.04	3.98
CSS J084552.4-061418	3.01489	0.00574	15.70	1.34	0.03	2.98
CSS J205605.9-063809	1.07793	0.00617	17.11	0.91	0.08	3.45
CSS J053059.3-102647	1.16266	0.00208	13.35	0.75	0.02	3.40
CSS J062419.5-103506	0.74350	0.00265	16.45	1.09	0.03	3.54
CSS J083125.1-090301	0.66789	0.00197	16.33	0.90	0.03	3.63
CSS J091430.0-111446	2.13433	0.01120	16.13	0.83	0.03	3.13
CSS J222100.4-105449	2.09907	0.00585	15.54	0.59	0.02	3.16
CSS J003441.8-135032	1.97421	0.00532	14.79	0.52	0.03	3.18
CSS J030246.9-121937	3.15730	0.00713	14.08	0.73	0.02	2.97
CSS J050224.2-113916	3.18499	0.00743	13.50	1.05	0.01	2.96
CSS J053931.4-152107	1.85360	0.02960	14.88	0.57	0.02	3.15
CSS J100846.9-160703	4.95352	0.06240	16.17	0.49	0.04	2.73
CSS J054951.2-180440	0.67626	0.01250	15.42	0.79	0.02	3.59
CSS J104916.3-175650	1.50077	0.02310	15.65	1.36	0.05	3.24
CSS J144057.5-191558	1.02614	0.00188	14.24	0.86	0.02	3.45
CSS J025414.6+002004	6.71969	0.16900	14.94	0.48	0.04	2.64
CSS J042305.8+003947	3.35125	0.03520	15.62	0.40	0.04	2.95
CSS J110309.4+014240	1.27006	0.01070	13.94	0.45	0.03	3.37
CSS J170319.1+013946	2.34682	0.03280	16.33	0.56	0.04	3.12
CSS J080118.6+033634	0.98002	0.00488	13.15	0.61	0.03	3.47
CSS J113248.7+033002	1.34911	0.03850	14.65	0.58	0.07	3.35
CSS J145100.7+052841	5.06656	0.09790	15.82	0.70	0.05	2.77
CSS J211507.1+042944	2.34144	0.02250	13.93	0.36	0.04	3.12
CSS J043938.6+061238	1.78472	0.01090	14.34	0.48	0.04	3.22
CSS J054859.3+074331	1.71841	0.00539	16.31	0.73	0.03	3.22

Table A1 - continued

Name							
CSS J103224.7+062518 3,64876 0,01060 16.25 0,62 0,05 2,93 CSS J103914.0+064824 2,56501 0,04570 15.72 0.82 0.06 3.08 CSS J102521.1+080336 63,17793 1,65000 15.73 0.50 0.06 3.08 CSS J103224.7+131025 0,64938 0.01090 14.45 0,26 0.03 3.68 CSS J080321.2+135122 2,36413 0,00260 15.88 0.68 0.03 3.12 CSS J080242.7+131025 0,64938 0,01090 14.45 0,26 0.03 3.68 CSS J080242.7+131025 0,64938 0,01090 14.45 0,26 0.03 3.68 CSS J025021.3+213112 2,36113 0,00966 16.23 0.78 0.06 3.07 CSS J16408.5+163433 1,39605 0,00925 14.15 0,67 0.06 3.07 CSS J025021.5+213412 2,327977 0,00946 15.37 0.59 0,04 3.03 CSS J025021.5+213412 2,32326 <td< th=""><th>Name</th><th>P</th><th>σ_P</th><th>V</th><th>A</th><th>σ_A</th><th>$\log (T_{\text{tot}}/P)$</th></td<>	Name	P	σ_P	V	A	σ_A	$\log (T_{\text{tot}}/P)$
CSS J103914.0+0-64824 2.56501 0.04570 15.72 0.82 0.06 3.08 CSS J125211.1+080336 63.17793 1.65000 15.73 0.50 0.06 1.68 CSS J102559.3+102124 2.07015 0.04610 16.78 0.84 0.06 3.18 CSS J0050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS J0050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS J050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS J0502736.9+140215 2.265183 0.00986 16.23 0.78 0.06 3.03 CSS J162004.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.01 CSS J16218.7+123412 2.32786 0.01270 16.49 0.63 0.04 3.10 CSS J05042.7+241301 2.71315 0.00956 12.88 1.78 0.10 3.03 CSS J022615.0+221301 2.71315	CSS J085050.6+073028	2.60976	0.00592	13.84	0.44	0.02	3.07
CSS J025211.1+080336 63.17793 1.65000 15.73 0.50 0.06 1.68 CSS J162549.3+102124 2.07015 0.04610 16.78 0.84 0.06 3.18 CSS J050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS J0502736.9+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS J080312.1435122 2.36413 0.02260 15.88 0.68 0.03 3.12 CSS J050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS J052736.9+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS J162004.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.68 CSS J052736.9+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS J162004.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.01 CSS J164108.5+163433 1.39605 0.00625 14.15 0.67 0.06 3.35 CSS J025013.4+172418 2.79777 0.00946 15.37 0.59 0.04 3.10 CSS J035048.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.10 CSS J035048.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.10 CSS J035048.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.10 CSS J035048.7+204955 2.03690 0.00020 16.60 0.69 0.04 3.10 CSS J035048.7+204955 2.03690 0.000066 12.88 1.78 0.10 3.05 CSS J035048.7+253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J035048.7+254046 2.65100 0.00722 14.12 0.63 0.02 3.07 CSS J036049.9+282408 1.55640 0.01990 15.80 0.35 0.04 CSS J035063.7+23917 3.16246 0.01890 15.80 0.35 0.04 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 0.05 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 0.05 CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 0.05 CSS J03555.2+39554 2.75103 0.06380 15.36 0.99 0.02 2.98 CSS J0345258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 0.05 CSS J0345258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 0.05 CSS J034558.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J034558.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.07 CSS J034558.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.07 CSS J035654.8+33124 8.81081 8.81653 0.00924 15.77 0.74 0.03 3.29 CSS J035556.4-345121 8.00068 0.00068 14.49 0.00068 14.41 0.04 0.04 3.04 0.04	CSS J102224.7+062518	3.64876	0.01060	16.25	0.62	0.05	2.93
CSS J1062549.3+I02124 2.07015 0.04610 16.78 0.84 0.06 3.18 CSS J050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS J052736.9+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS J050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.12 CSS J052736.9+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS J1610204.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.01 CSS J16106.5+163433 1.39808 0.00912 16.21 0.58 0.03 3.01 CSS J020021.5+213412 2.32386 0.01270 16.49 0.63 0.04 3.03 CSS J035048.7+224134 2.32386 0.01270 16.49 0.63 0.04 3.16 CSS J035048.7-24345 2.02690 0.02020 16.60 0.69 0.04 3.05 CSS J2250.1.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.2.	CSS J103914.0+064824	2.56501	0.04570	15.72	0.82	0.06	3.08
CSS D050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS J080373.6+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS J080331.2+135122 2.36413 0.00286 15.88 0.68 0.03 3.68 CSS J052736.9+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS J162004.6+145346 3.03808 0.00912 16.21 0.58 0.06 3.07 CSS J162004.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.01 CSS J162004.6+145346 3.03808 0.00912 16.21 0.58 0.03 0.04 3.01 CSS J16401.3-1474350 2.02690 0.00202 16.60 0.69 0.04 3.10 CSS J002021.5+213412 2.32386 0.01270 16.49 0.63 0.04 3.10 CSS J038048.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.16 CSS J042528.4 2.01010 <td>CSS J225211.1+080336</td> <td>63.17793</td> <td>1.65000</td> <td>15.73</td> <td>0.50</td> <td>0.06</td> <td>1.68</td>	CSS J225211.1+080336	63.17793	1.65000	15.73	0.50	0.06	1.68
CSS J0052736.9+140215	CSS J162549.3+102124	2.07015	0.04610	16.78	0.84	0.06	3.18
CSS 1080331.2+135122 2.36413 0.02260 15.88 0.68 0.03 3.12 CSS 1050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS 1052736.9+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS 1162004.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.01 CSS 1162004.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.01 CSS 1164008.4+124 2.23386 0.0022 16.60 0.69 0.04 3.10 CSS 10350848.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.10 CSS 10370847.8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS 103023.3+274350 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS 10304835.7+223917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS 1723555.5+293517 2.43505 0.	CSS J050242.7+131025	0.64938	0.01090	14.45	0.26	0.03	3.68
CSS J050242.7+131025 0.64938 0.01090 14.45 0.26 0.03 3.68 CSS J050736.9+140215 2.65183 0.00986 16.21 0.58 0.06 3.07 CSS J1604108.5+163433 1.39605 0.00625 14.15 0.67 0.06 3.35 CSS J225011.3+172418 2.79777 0.00946 15.37 0.59 0.04 3.03 CSS J020021.5+213412 2.32386 0.01270 16.49 0.63 0.04 3.10 CSS J073807.8+7249455 2.02690 0.02020 16.60 0.69 0.04 3.16 CSS J073887.8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS J073835.7+2253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J073853.7+2253917 2.43505 0.04530 16.20 0.77 0.05 3.07 CSS J030453.7+2253917 2.43505 0.04530 16.20 0.77 0.05 3.07 CSS J03355.7+2239575 1.55640	CSS J052736.9+140215	2.65183	0.00986	16.23	0.78	0.06	3.07
CSS J052736.9+140215 2.65183 0.00986 16.23 0.78 0.06 3.07 CSS J1610204.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.01 CSS J161058.5+163433 1.39605 0.00625 14.15 0.67 0.06 3.03 CSS J225011.3+172418 2.79777 0.00946 15.37 0.59 0.04 3.03 CSS J073847.8+221414 2.232386 0.01270 16.69 0.69 0.04 3.10 CSS J073807.8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS J073837.8+221410 2.71315 0.00956 12.88 1.78 0.10 3.05 CSS J030604.9+282408 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS J030604.9+282408 1.55640 0.0190 15.80 0.35 0.04 3.28 CSS J035633.1+230917 2.43505 0.04321 15.57 0.57 0.03 3.49 CSS J041259.2+2493917 3.16246 <t< td=""><td>CSS J080331.2+135122</td><td>2.36413</td><td>0.02260</td><td>15.88</td><td>0.68</td><td>0.03</td><td>3.12</td></t<>	CSS J080331.2+135122	2.36413	0.02260	15.88	0.68	0.03	3.12
CSS J162004.6+145346 3.03808 0.00912 16.21 0.58 0.03 3.01 CSS J164108.5+163433 1.39605 0.00625 14.15 0.67 0.06 3.35 CSS J225011.3+172418 2.79777 0.00946 15.37 0.59 0.04 3.10 CSS J0302021.5+213412 2.32386 0.01270 16.49 0.63 0.04 3.10 CSS J0330548.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.16 CSS J07387.8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS J07387.8+221414 5.23632 0.00736 13.56 0.38 0.01 3.05 CSS J030123.3+274350 1.82846 0.01190 16.04 0.54 0.04 3.10 CSS J0305604-264846 2.65100 0.00722 14.12 0.63 0.02 3.07 CSS J035651-1-284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J042558-7-295554 2.75103 0	CSS J050242.7+131025	0.64938	0.01090	14.45	0.26	0.03	3.68
CSS 1164108.5+163433 1.39605 0.00625 14.15 0.67 0.06 3.35 CSS 12225011.3+172418 2.79777 0.00946 15.37 0.59 0.04 3.03 CSS 1030021.5+213412 2.32386 0.01270 16.69 0.63 0.04 3.16 CSS 1035048.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.16 CSS 10073807.8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS 1001223.3+274350 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS 1001223.3+274350 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS 10306049.492408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS 10305615.1+284725 1.00942 0.00315 15.57 0.57 0.03 3.07 CSS 1041535.3+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS 1035633.1+320912 3.25411 <t< td=""><td>CSS J052736.9+140215</td><td>2.65183</td><td>0.00986</td><td>16.23</td><td>0.78</td><td>0.06</td><td>3.07</td></t<>	CSS J052736.9+140215	2.65183	0.00986	16.23	0.78	0.06	3.07
CSS J225011.3+172418 2.79777 0.00946 15.37 0.59 0.04 3.03 CSS J020021.5+213412 2.32386 0.01270 16.49 0.63 0.04 3.10 CSS J035048.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.16 CSS J073807.8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS J074833.7+253917 2.43505 0.00956 12.88 1.78 0.10 3.05 CSS J084835.7+253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J035631.1+2284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J035633.1+320917 3.1646 0.01880 15.36 0.69 0.02 2.98 CSS J045258.7+331809 2.46991	CSS J162004.6+145346	3.03808	0.00912	16.21	0.58	0.03	3.01
CSS J020021.5+213412 2.32386 0.01270 16.49 0.63 0.04 3.10 CSS J035048.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.16 CSS J073807 8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS J02437 8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS J02438.7+274350 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS J03648.57+253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J03036604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J0305615.1+284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J03555.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J03555.5+293554 2.75103 0.06380 15.40 0.92 0.05 3.04 CSS J03555.2+3539301 3.60426 0	CSS J164108.5+163433	1.39605	0.00625	14.15	0.67	0.06	3.35
CSS J035048.7+204955 2.02690 0.02020 16.60 0.69 0.04 3.16 CSS J073807.8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS J202615.0+211301 2.71315 0.00956 12.88 1.78 0.10 3.05 CSS J001223.3+274350 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS J030643.5+253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J1730604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J03060515.1+284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J125153.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J074854.5+312748 6.18431 <	CSS J225011.3+172418	2.79777	0.00946	15.37	0.59	0.04	3.03
CSS J073807.8+221414 5.23632 0.00736 13.56 0.38 0.01 2.75 CSS J222615.0+211301 2.71315 0.00956 12.88 1.78 0.10 3.05 CSS J001223.3+274350 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS J034835.7+253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J173356.0+264846 2.65100 0.00722 14.12 0.63 0.02 3.07 CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J03050515.1+324725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J0313755.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J031432912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J034528,7+331809 2.46991 0.0	CSS J020021.5+213412	2.32386	0.01270	16.49	0.63	0.04	3.10
CSS J222615.0+211301 2.71315 0.00956 12.88 1.78 0.10 3.05 CSS J001223.3+274350 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS J084835.7+253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J050515.1+284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J125153.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J233755.5+295554 2.75103 0.06380 15.40 0.92 0.05 3.04 CSS J036363.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J03252619.3+334509 2.81653 0.0092 1.572 1.22 0.04 3.03 CSS J032724.6+360153 1.95523 <th< td=""><td>CSS J035048.7+204955</td><td>2.02690</td><td>0.02020</td><td>16.60</td><td>0.69</td><td>0.04</td><td>3.16</td></th<>	CSS J035048.7+204955	2.02690	0.02020	16.60	0.69	0.04	3.16
CSS J001223.3+274350 1.82846 0.01190 16.04 0.54 0.04 3.21 CSS J084835.7+253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J173356.0+264846 2.65100 0.00722 14.12 0.63 0.02 3.07 CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J050515.1+284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J123375.5+295554 2.75103 0.06380 15.36 0.69 0.02 2.98 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J0231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J03555.2+353950 3.06574	CSS J073807.8+221414	5.23632	0.00736	13.56	0.38	0.01	2.75
CSS J084835.7+253917 2.43505 0.04530 16.20 0.77 0.05 3.10 CSS J173356.0+264846 2.65100 0.00722 14.12 0.63 0.02 3.07 CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J050515.1+284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J125153.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J233755.5+295554 2.75103 0.06380 15.40 0.92 0.05 3.04 CSS J036633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J045258.7+331809 2.36991 0.00700 15.78 1.84 0.03 3.10 CSS J074854.5+312748 6.18431 0.00811 14.47 0.62 0.03 2.70 CSS J231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J022724.6+360153 1.95523	CSS J222615.0+211301	2.71315	0.00956	12.88	1.78	0.10	3.05
CSS J173356.0+264846 2.65100 0.00722 14.12 0.63 0.02 3.07 CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J125153.5+284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J125153.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J074854.5+312748 6.18431 0.00811 14.47 0.62 0.03 2.70 CSS J231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J032535.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523	CSS J001223.3+274350	1.82846	0.01190	16.04	0.54	0.04	3.21
CSS J030604.9+282408 1.55640 0.01990 15.80 0.35 0.04 3.28 CSS J050515.1+284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J125153.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J233755.5+295554 2.75103 0.06380 15.40 0.92 0.05 3.04 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J045258.7-4331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J031824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J0231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 <t< td=""><td>CSS J084835.7+253917</td><td>2.43505</td><td>0.04530</td><td>16.20</td><td>0.77</td><td>0.05</td><td>3.10</td></t<>	CSS J084835.7+253917	2.43505	0.04530	16.20	0.77	0.05	3.10
CSS J050515.1+284725 1.00942 0.00315 15.57 0.57 0.03 3.49 CSS J125153.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J03555.5+295554 2.75103 0.06380 15.40 0.92 0.05 3.04 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J042528.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J074854.5+312748 6.18431 0.00811 14.47 0.62 0.03 2.70 CSS J231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J023352.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034525.6+354612 1.72581 0	CSS J173356.0+264846	2.65100	0.00722	14.12	0.63	0.02	3.07
CSS J125153.5+293917 3.16246 0.01880 15.36 0.69 0.02 2.98 CSS J233755.5+295554 2.75103 0.06380 15.40 0.92 0.05 3.04 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J074854.5+312748 6.18431 0.00811 14.47 0.62 0.03 2.70 CSS J03282619.3+334509 2.81313 0.01690 16.16 0.44 0.04 3.04 CSS J033724.6+360153 1.95523 0.00447 13.75 0.24 0.03 2.98 CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J039393.7+365854 2.48613 <t< td=""><td>CSS J030604.9+282408</td><td>1.55640</td><td>0.01990</td><td>15.80</td><td>0.35</td><td>0.04</td><td>3.28</td></t<>	CSS J030604.9+282408	1.55640	0.01990	15.80	0.35	0.04	3.28
CSS J233755.5+295554 2.75103 0.06380 15.40 0.92 0.05 3.04 CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J232619.3+334509 2.81313 0.01690 16.16 0.44 0.04 3.04 CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034525.6+354612 1.72581	CSS J050515.1+284725	1.00942	0.00315	15.57	0.57	0.03	3.49
CSS J035633.1+320912 3.25411 0.01240 13.34 0.50 0.02 2.96 CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J031824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J232619.3+334509 2.81313 0.01690 16.16 0.44 0.04 3.04 CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J031935.2+35412 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J031907.5+384354 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J039303.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0	CSS J125153.5+293917	3.16246	0.01880	15.36	0.69	0.02	2.98
CSS J041359.0+314056 3.60426 0.00862 14.96 0.73 0.03 2.91 CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J074854.5+312748 6.18431 0.00811 14.47 0.62 0.03 2.70 CSS J231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J232619.3+334509 2.81313 0.01690 16.16 0.44 0.04 3.04 CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J071357.2+342138 4.87376 0.12200 17.01 0.78 0.06 2.80 CSS J043933.7+365854 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J039656.0+382028 2.09378	CSS J233755.5+295554	2.75103	0.06380	15.40	0.92	0.05	3.04
CSS J045258.7+331809 2.46991 0.00700 15.78 1.84 0.03 3.10 CSS J074854.5+312748 6.18431 0.00811 14.47 0.62 0.03 2.70 CSS J231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J232619.3+334509 2.81313 0.01690 16.16 0.44 0.04 3.04 CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J071357.2+342138 4.87376 0.12200 17.01 0.78 0.06 2.80 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J0385656.0+382028 2.09378 <th< td=""><td>CSS J035633.1+320912</td><td>3.25411</td><td>0.01240</td><td>13.34</td><td>0.50</td><td>0.02</td><td>2.96</td></th<>	CSS J035633.1+320912	3.25411	0.01240	13.34	0.50	0.02	2.96
CSS J074854.5+312748 6.18431 0.00811 14.47 0.62 0.03 2.70 CSS J231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J232619.3+334509 2.81313 0.01690 16.16 0.44 0.04 3.04 CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J0335654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 <td< td=""><td>CSS J041359.0+314056</td><td>3.60426</td><td>0.00862</td><td>14.96</td><td>0.73</td><td>0.03</td><td>2.91</td></td<>	CSS J041359.0+314056	3.60426	0.00862	14.96	0.73	0.03	2.91
CSS J231824.8+310818 2.81653 0.00924 15.72 1.22 0.04 3.03 CSS J232619.3+334509 2.81313 0.01690 16.16 0.44 0.04 3.04 CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J071357.2+342138 4.87376 0.12200 17.01 0.78 0.06 2.80 CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J035654.8+395231 2.72690	CSS J045258.7+331809	2.46991	0.00700	15.78	1.84	0.03	3.10
CSS J232619.3+334509 2.81313 0.01690 16.16 0.44 0.04 3.04 CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J071357.2+342138 4.87376 0.12200 17.01 0.78 0.06 2.80 CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901	CSS J074854.5+312748	6.18431	0.00811	14.47	0.62	0.03	2.70
CSS J025355.2+353950 3.06574 0.04920 14.17 0.74 0.03 2.98 CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J071357.2+342138 4.87376 0.12200 17.01 0.78 0.06 2.80 CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J033827.1+410334 3.13914 0.02940 14.41 0.63 0.02 2.97 CSS J08549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J080549.6+403108 0.66901 0	CSS J231824.8+310818	2.81653	0.00924	15.72	1.22	0.04	3.03
CSS J032724.6+360153 1.95523 0.00447 13.75 0.24 0.03 3.18 CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J071357.2+342138 4.87376 0.12200 17.01 0.78 0.06 2.80 CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J0385654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J8232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.67 CSS J095332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J094558.1+454814 0.68133 <t< td=""><td>CSS J232619.3+334509</td><td>2.81313</td><td>0.01690</td><td>16.16</td><td>0.44</td><td>0.04</td><td>3.04</td></t<>	CSS J232619.3+334509	2.81313	0.01690	16.16	0.44	0.04	3.04
CSS J034625.6+354612 1.72581 0.00968 14.20 0.67 0.05 3.23 CSS J071357.2+342138 4.87376 0.12200 17.01 0.78 0.06 2.80 CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J003827.1+410334 3.13914 0.02940 14.41 0.63 0.02 2.97 CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J05332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J094558.1+45814 0.68133 0.	CSS J025355.2+353950	3.06574	0.04920	14.17	0.74	0.03	2.98
CSS J071357.2+342138 4.87376 0.12200 17.01 0.78 0.06 2.80 CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J003827.1+410334 3.13914 0.02940 14.41 0.63 0.02 2.97 CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J0232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J095332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J080327.2+503948 1.37363 <td< td=""><td>CSS J032724.6+360153</td><td>1.95523</td><td>0.00447</td><td>13.75</td><td>0.24</td><td>0.03</td><td>3.18</td></td<>	CSS J032724.6+360153	1.95523	0.00447	13.75	0.24	0.03	3.18
CSS J002509.1+385544 2.06580 0.00793 13.58 0.61 0.01 3.15 CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J003827.1+410334 3.13914 0.02940 14.41 0.63 0.02 2.97 CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J094558.1+45814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0	CSS J034625.6+354612	1.72581	0.00968	14.20	0.67	0.05	3.23
CSS J031907.5+384354 1.69540 0.00573 12.95 1.03 0.05 3.24 CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J003827.1+410334 3.13914 0.02940 14.41 0.63 0.02 2.97 CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206	CSS J071357.2+342138	4.87376	0.12200	17.01	0.78	0.06	2.80
CSS J043933.7+365854 2.48613 0.01020 14.28 0.54 0.03 3.07 CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J003827.1+410334 3.13914 0.02940 14.41 0.63 0.02 2.97 CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J065935.8+592538 1.80142	CSS J002509.1+385544	2.06580	0.00793	13.58	0.61	0.01	3.15
CSS J085656.0+382028 2.09378 0.05370 15.57 0.46 0.04 3.14 CSS J003827.1+410334 3.13914 0.02940 14.41 0.63 0.02 2.97 CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J094558.1+454814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J164404.4+574227 0.49234	CSS J031907.5+384354	1.69540	0.00573	12.95	1.03	0.05	3.24
CSS J003827.1+410334 3.13914 0.02940 14.41 0.63 0.02 2.97 CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J094558.1+454814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.74 CSS J065935.8+592538 1.80142	CSS J043933.7+365854	2.48613	0.01020	14.28	0.54	0.03	3.07
CSS J035654.8+395231 2.72690 0.00320 14.08 1.26 0.01 3.03 CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J094558.1+454814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J070423.0+593108 0.75928	CSS J085656.0+382028	2.09378	0.05370	15.57	0.46	0.04	3.14
CSS J080549.6+403108 0.66901 0.00240 17.33 0.67 0.06 3.67 CSS J232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J094558.1+454814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J003827.1+410334	3.13914	0.02940	14.41	0.63	0.02	2.97
CSS J232718.6+415044 2.63147 0.07790 14.68 1.17 0.06 3.05 CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J094558.1+454814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J035654.8+395231	2.72690	0.00320	14.08	1.26	0.01	3.03
CSS J005332.7+440226 1.90658 0.02140 13.88 1.06 0.03 3.18 CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J094558.1+454814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J080549.6+403108	0.66901	0.00240	17.33	0.67	0.06	3.67
CSS J175341.0+444623 1.90262 0.00837 12.71 0.84 0.05 3.21 CSS J094558.1+454814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J232718.6+415044	2.63147	0.07790	14.68	1.17	0.06	3.05
CSS J094558.1+454814 0.68133 0.00793 13.61 0.26 0.03 3.63 CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J005332.7+440226	1.90658	0.02140	13.88	1.06	0.03	3.18
CSS J080327.2+503948 1.37363 0.03310 13.75 0.50 0.02 3.32 CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J175341.0+444623	1.90262	0.00837	12.71	0.84	0.05	3.21
CSS J180743.0+502014 0.99206 0.00865 15.81 1.14 0.11 3.49 CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J094558.1+454814	0.68133	0.00793	13.61	0.26	0.03	3.63
CSS J090355.4+533131 0.66328 0.00234 15.10 0.64 0.03 3.64 CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J080327.2+503948	1.37363	0.03310	13.75	0.50	0.02	3.32
CSS J164404.4+574227 0.49234 0.00118 15.09 0.99 0.03 3.74 CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J180743.0+502014	0.99206	0.00865	15.81	1.14	0.11	3.49
CSS J065935.8+592538 1.80142 0.01120 13.14 0.59 0.03 3.19 CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J090355.4+533131	0.66328	0.00234	15.10	0.64	0.03	3.64
CSS J070423.0+593108 0.75928 0.00366 14.59 0.63 0.02 3.57	CSS J164404.4+574227	0.49234	0.00118	15.09	0.99	0.03	3.74
	CSS J065935.8+592538	1.80142	0.01120	13.14	0.59	0.03	3.19
CSS J061902.1+631324 0.20970 0.00589 15.75 0.43 0.03 4.08	CSS J070423.0+593108	0.75928	0.00366	14.59	0.63	0.02	3.57
	CSS J061902.1+631324	0.20970	0.00589	15.75	0.43	0.03	4.08

APPENDIX B: PARAMETERS FOR LIGHT-CURVE SOLUTION

As described in Section 5.2, the low-mass star candidates were modelled with the WD light-curve synthesis code combined with an MCMC optimization procedure. Table B1 shows the parameters and the ratio of parameters found in the light-curve modelling. These values were obtained as described by Coughlin et al. (2011) and were used to find the absolute parameters shown in Table 2. The temperatures obtained by Coughlin et al. (2011) were used in

the WD code in a second fit, with T_2/T_1 fixed in order to refine i, Ω_1 and Ω_2 for a final solution (see Table B2). The first and second fits made with WD code produce T_2/T_1 and $(R_1+R_2)/a$ consistent to within 9 per cent. Using the fit parameters, we can recover the distances, which are in agreement with those found in the literature. The potentials of CSS J145100.7+052843 and CSS J071357.2+342138 are relatively large; this is due to the fact that there are few photometric points in the eclipse, which probably leads to underestimated values of the sum of the relative radii.

2844 A. Carmo et al.

Table B1. Parameters obtained from the model fits to the light curves. The first one presents the name of the object, followed by the CSS ID, temperature of the primary T_1 , temperature ratio T_1/T_2 , sum of fractional radii $(R_1 + R_2)/a$, inclination i, and modified Kopal potential (dimensionless) Ω_1 and Ω_2 .

Name	CSS ID	T ₁ (fixed)	T_2/T_1	$(R_1 + R_2)/a$	i (°)	Ω_1	Ω_2
CSS J003441.8-135033	1012004004843	3896	0.97 ± 0.01	0.15 ± 0.02	88.08 ± 0.29	13.73 ± 1.45	14.31 ± 0.83
CSS J145100.7+052843	1104080068168	3954	0.96 ± 0.01	0.06 ± 0.01	89.67 ± 0.13	32.95 ± 3.77	31.85 ± 3.18
CSS J162549.4+102124	1109087063294	3828	0.95 ± 0.01	0.14 ± 0.02	89.62 ± 0.25	15.48 ± 1.10	15.03 ± 0.96
CSS J020021.5+213412	1121011041164	3819	1.00 ± 0.01	0.15 ± 0.01	89.58 ± 0.24	14.45 ± 0.62	14.44 ± 0.67
CSS J084835.7+253917	1126043006161	4510	0.87 ± 0.01	0.14 ± 0.02	87.81 ± 0.55	16.22 ± 2.34	14.28 ± 0.58
CSS J071357.2+342138	1135032018057	3868	0.95 ± 0.01	0.09 ± 0.01	89.77 ± 0.18	22.32 ± 1.70	21.66 ± 1.27
CSS J080549.6+403108	1140034027271	3512	0.98 ± 0.01	0.20 ± 0.02	88.94 ± 0.42	11.05 ± 0.75	10.74 ± 0.64
CSS J090355.4+533132	1152031059450	3962	1.00 ± 0.01	0.35 ± 0.02	88.72 ± 0.78	6.72 ± 0.45	6.73 ± 0.44

Table B2. The temperatures and masses of the components were defined as described in the Section 5.1, and the model fit to the light curve was redone in order to improve parameters such as Ω_1 , Ω_2 , and *i*. The last column is the estimated distance from the fitted parameters.

Name	CSS ID	T_2/T_1 (fixed)	$(R_1+R_2)/a$	i (°)	Ω_1	Ω_2	Dist (pc)
CSS J003441.8-135033	1012004004843	0.98	0.15 ± 0.01	88.29 ± 0.36	13.08 ± 0.94	14.31 ± 0.30	280 ± 68
CSS J145100.7+052843	1104080068168	0.99	0.06 ± 0.01	89.85 ± 0.10	32.16 ± 3.56	31.70 ± 3.09	280 ± 57
CSS J162549.4+102124	1109087063294	0.99	0.14 ± 0.02	89.88 ± 0.11	15.06 ± 0.74	14.57 ± 0.75	466 ± 118
CSS J020021.5+213412	1121011041164	1.00	0.15 ± 0.02	89.61 ± 0.22	14.49 ± 0.67	14.51 ± 0.63	486 ± 124
CSS J084835.7+253917	1126043006161	0.96	0.14 ± 0.02	89.04 ± 0.38	13.61 ± 0.33	15.53 ± 0.43	878 ± 167
CSS J071357.2+342138	1135032018057	0.98	0.10 ± 0.01	89.95 ± 0.04	20.72 ± 0.85	19.99 ± 0.85	764 ± 192
CSS J080549.6+403108	1140034027271	1.00	0.20 ± 0.03	89.19 ± 0.35	11.13 ± 0.53	10.46 ± 0.46	260 ± 91
CSS J090355.4+533132	1152031059450	1.00	0.35 ± 0.03	88.82 ± 0.80	6.72 ± 0.47	6.73 ± 0.45	364 ± 78

This paper has been typeset from a T_EX/IAT_EX file prepared by the author.