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## RESEARCH ARTICLE

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### Key Points:

- The long-term variations in the geomagnetic activity and the solar wind-magnetosphere coupling are studied
- The geomagnetic activities of different types exhibit varying solar cycle dependencies
- The weak solar cycles are associated with the reduced solar wind-magnetosphere coupling and geomagnetic activity

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## Long-Term Variations of the Geomagnetic Activity: A Comparison Between the Strong and Weak Solar Activity Cycles and Implications for the Space Climate

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**Abstract** We study the long-term variations of geomagnetic activity using more than five solar cycles of geomagnetic and solar wind observations. From the Dst index variation, 1523 geomagnetic storms were identified during January 1957 through December 2019, and 145 high-intensity long-duration continuous auroral electrojet (AE) activity (HILDCAA) events were identified using the AE index from January 1975 through December 2017. Among the storms,  $\sim 3/4$ th were moderate ( $-50 \text{ nT} \geq \text{Dst} > -100 \text{ nT}$ ), and only  $\sim 1/4$ th were stronger in intensity ( $\text{Dst} \leq -100 \text{ nT}$ ). Cross-correlation analysis reveals a strong correlation ( $r = 0.58\text{--}0.78$ ) between the magnetic storms and the F10.7 solar flux at 0–1-year time lag and a weaker correlation ( $r = 0.59$ ) between HILDCAAs and F10.7 at a  $\sim 3$ -year lag. This result is consistent with the magnetic storm occurrence rate centered around the solar cycle maximum with a secondary peak after the maximum, and HILDCAAs peaking around the descending phase. Wavelet analysis reveals a dominating  $\sim 10\text{--}11$ -year periodicity in the number of geomagnetic storms and HILDCAAs, geomagnetic activity indices, solar wind, and interplanetary parameters. The periodicity is attributed to the solar activity cycle variation. Solar wind speed induces additional longer ( $\sim 15\text{--}16$  years) and shorter ( $\sim 3\text{--}5$  years) scale variations in geomagnetic activity. Solar cycles 20 and 24 are found to be significantly weaker compared to the cycles 19, 21, 22, and 23 in solar flux, solar wind-magnetosphere coupling, and resultant geomagnetic activity. If the decreasing trend of the solar and geomagnetic activities continues in cycle 25, this may have important implications for the space weather science and operations.

## 1. Introduction

A large percentage of modern technical systems, from space communication satellites to ground-based power grids, is vulnerable to space weather (see Cannon et al., 2013; Lakhina et al., 2020, and references therein). Space weather includes everything from variations in the Sun, solar wind to their impacts on the interplanetary space, Earth, and other solar system bodies with varying magnetic and plasma properties (e.g., Echer et al., 2005; Hajra et al., 2020, and references therein). These are strongly modulated by the  $\sim 11$ -year “Schwabe” cycle (Schwabe, 1844) when Sun’s activity rises and falls. In addition to this oscillation, solar activity is reported to exhibit longer-scale modulations such as  $\sim 80\text{--}90$ -year variation in the cycle amplitudes (Gleissberg, 1939), known as Gleissberg cycle (see Hathaway, 2015, for an excellent review on this topic). The long-term study of the space weather over time scales of several solar cycles is important for the knowledge of space climate (e.g., González Hernández et al., 2014; Mursula et al., 2007), which is the main focus of this present work.

The solar wind-magnetosphere coupling and its relationship to geomagnetic disturbances are the most important aspects of the space research. The energy coupling process is mainly controlled by magnetic reconnection between the dayside geomagnetic field and interplanetary magnetic field (IMF) (Dungey, 1961). In this process, the northward geomagnetic field lines break upon encounter/contact with the (antiparallel) southward IMF in the dayside magnetopause current sheet where magnetic diffusion is significant. The “open” geomagnetic field lines connected with the IMF are transported down-tail across the polar cap by the solar wind flow and again reconnect at the far tail current sheet region. It may be mentioned that in the “closed magnetosphere” under northward IMF, the solar wind-magnetosphere energy coupling through

viscous interaction (Axford & Hines, 1961) is comparatively less efficient (Gonzalez et al., 1994; Tsurutani, Gonzalez, Tang, & Lee, 1992).

An enhanced energy transfer for a long period of stronger magnetic reconnection leads to the enhancement of the energetic ( $\sim 10$ – $300$  keV) ring current particles (mainly  $H^+$ ,  $O^+$ ,  $He^+$ , and electrons) at  $\sim 2$ – $7$  Earth radii ( $R_E$ ) in the Earth's magnetic equatorial plane (Daglis et al., 1999; Frank, 1967; Hamilton et al., 1988; Singer, 1957; Williams, 1987, and references therein). This may cause global-scale geomagnetic disturbances, commonly known as geomagnetic storms (Chapman & Bartels, 1940; Gonzalez et al., 1994). On the other hand, a low rate magnetic reconnection for an intermittent interval may lead to the precipitation of  $\sim 10$ – $100$  keV electrons and ions in the auroral atmosphere resulting in auroral substorms (Akasofu, 1964; Nykyri et al., 2019; Ohtani, 2001; Tsurutani & Meng, 1972). Intense auroral substorms continuing for a few days to a week without occurrence of any major geomagnetic storms have been called high-intensity long-duration continuous auroral electrojet (AE) activities (HILDCAAs: Hajra et al., 2013, 2014; Tsurutani & Gonzalez, 1987). These are different from the nominal substorms and major geomagnetic storms.

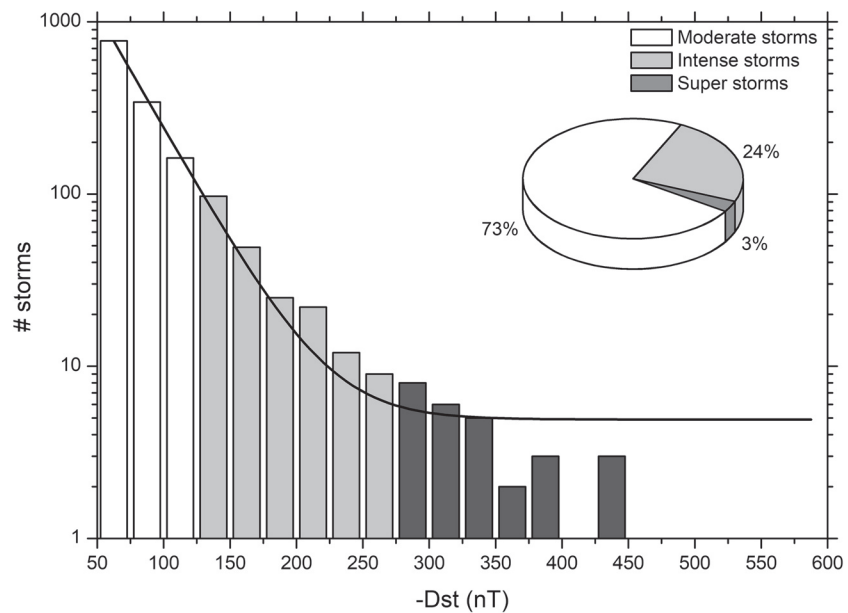
In the present work, updated lists of geomagnetic storms and HILDCAAs will be developed using all available geomagnetic indices to study their long-term variations. The solar and interplanetary drivers of the long-term geomagnetic activity variations will be explored in order to identify the physical processes associated with the solar wind-magnetosphere energy coupling. The strong and weak solar cycles will be compared in terms of their solar wind and geomagnetic properties. Thus, the main questions to be addressed in this work are: what are the climatological features of the geomagnetic activity and what are the drivers of the space climate? Is there any difference in the geomagnetic characters between the weak and strong solar cycles? What does the current weak solar cycle imply in view of future solar cycles? While some of the questions are already addressed, the present work is statistically much more robust and complete because of very long and updated data sets of HILDCAAs and magnetic storms compared to previous works. Such a long-term study is important for augmentation of our knowledge of the trends in space weather over solar cycles, or the space climate.

## 2. Database and Method of Analysis

### 2.1. Geomagnetic Storms and HILDCAAs

Geomagnetic storms are characterized by enhanced westward ring currents (encircling the Earth's magnetic equator) at  $\sim 2$ – $7 R_E$  that lead to decreases in the low-latitude geomagnetic fields. The decreases are measured by the disturbance storm time or Dst index. The Dst index is derived from the horizontal magnetic field measurements by four magnetometers placed around the Earth's magnetic equator (Burton et al., 1975; Sugiura, 1964). The measurements are continuously available from January 1957. Using the usual storm criteria  $Dst \leq -50$  nT (Gonzalez et al., 1994), we identified 1523 magnetic storms from January 1957 through December 2019. This updated list of storms in fact extends and complements the previously developed lists of storms between 1957 and 2008 (Echer et al., 2011) and storms occurring in solar cycle 24 till 2016 (Rawat et al., 2018).

Figure 1 shows the distribution of the magnetic storms binned according to the peak Dst values. An approximate exponential decay in the number of storms with the increasing Dst strength can be noted (shown by a solid curve). This implies a very low occurrence probability of the extreme storms. It is interesting to note that while the exponential curve fits well with the bulk storm distribution, the fitting is not efficient for the extreme storms. This is consistent with a similar behavior of the solar wind plasma and IMF (see, e.g., Tsurutani et al., 2018). The median of the storm peak Dst distribution is about  $-74$  nT while the average (standard deviation) is about  $-92$  nT ( $\pm 54$  nT). As the median divides a probability occurrence distribution in halves, it is concluded that about half of the storms are weaker than  $-74$  nT. Among the 1523 storms,  $\sim 73\%$  were moderate ( $-50$  nT  $\geq Dst > -100$  nT),  $\sim 24\%$  were intense ( $-100$  nT  $\geq Dst > -250$  nT), and  $\sim 3\%$  were super storms ( $Dst \leq -250$  nT). This storm strength distribution is shown by a pie chart in Figure 1 (inset). Thus,  $\sim 3/4$ th of the storms were moderate and only  $\sim 1/4$ th were stronger. The moderate storms have an average (median) intensity of  $\sim -68$  nT ( $\sim -65$  nT) with a standard deviation of  $\pm 14$  nT, the intense storms have an average (median) intensity of  $\sim -140$  nT ( $\sim -129$  nT) with a standard deviation of  $\pm 35$  nT, and the super storms have an average (median) intensity of  $\sim -325$  nT ( $\sim -303$  nT) with a standard



**Figure 1.** Histograms show the occurrence probability distribution of the peak Dst values of the storms under present study. The solid curve shows the exponential fit. Pie chart in the inset shows the percentage occurrences of the moderate, intense, and super storms.

deviation of  $\pm 69$  nT. The standard deviations are  $\sim 20\%$ ,  $\sim 25\%$ , and  $\sim 21\%$  of the average storm intensities for the moderate, intense, and super storms, respectively. This implies a large variation in intensity among each category of the storms.

HILDCAAs are identified, using four criteria suggested by Tsurutani and Gonzalez (1987), as the intervals of intense auroral activity with the peak AE intensity  $>1000$  nT, the minimum duration of 2 days when AE does not fall below 200 nT for more than 2 h at a time. These may occur under a non-storm condition ( $Dst > -50$  nT) or during the recovery phase of a geomagnetic storm. Hajra et al. (2013) developed a list of 133 HILDCAA events from January 1975 (1 min AE data are available from January 1975 on) to December 2011. We updated the list to include recent events till end of 2017. Thus, the present work includes 145 HILDCAA events from January 1975 to December 2017.

In addition to the yearly occurrence rates of HILDCAAs and magnetic storms, the average geomagnetic environment is characterized by the yearly averages of the geomagnetic indices Dst, ap and AE. In general, Dst represents a proxy measurement of the storm time ring current (Sugiura, 1964), AE is a proxy of the auroral electrojet current related to substorms (Davis & Sugiura, 1966), and the ap index is an indicator of the global-scale geomagnetic activity level (Rostoker, 1972).

## 2.2. Solar Wind-Magnetosphere Coupling

The solar wind-magnetosphere coupling during the geomagnetic activity enhanced intervals is explored by the study of the solar wind plasma and IMF parameter variations. We estimated the yearly percentage of days with the daily peak solar wind speed  $V_{sw}$  of  $\geq 500$  km  $s^{-1}$  (mentioned as D500 in this work) as an indicator of the solar wind high-speed streams (HSSs). We estimated the solar wind electric field VBs, where V represents  $V_{sw}$ , and  $B_s$  is the southward component of the IMF ( $B_s$  is zero in absence of a southward component). VBs has been shown to take an important role in driving the geomagnetic activity (e.g., Burton et al., 1975; Finch et al., 2008; Tsurutani, Gonzalez, Tang, Lee, et al., 1992). Another important coupling function is the Akasofu  $\epsilon$ -parameter ( $\sim V_{sw} B_o^2 \sin^4(\theta/2) R_{CF}^2$ ) that gives an approximate estimate of the magnetospheric energy input rate (Perreault & Akasofu, 1978). Here,  $B_o$  is the magnitude of the IMF,  $\theta$  is the IMF orientation clock angle, and  $R_{CF}$  is the Chapman-Ferraro magnetopause distance (Chapman & Ferraro, 1931; Shue & Chao, 2013).

### 2.3. Cross-Correlation Analysis

To study the relationship between the geomagnetic activity and the solar wind-magnetosphere coupling, we use the classical cross-correlation analysis (Davis, 2002). The cross-correlation between two time series is computed by displacing one time series relative to the other in time ( $t$ ) units. Thus, the successive lags and correlation coefficients, and the lag corresponding to the maximum correlation between the two series can be obtained. A zero lag corresponds to the correlation coefficient (linear correlation) where the time series are aligned. The cross-correlation coefficient ( $r$ ) between the time series  $Y_1$  and  $Y_2$  with  $n$  overlapped positions is defined as:

$$r = \frac{n * \sum Y_1 Y_2 - \sum Y_1 \sum Y_2}{\sqrt{\left[ n * \sum Y_1^2 - (\sum Y_1)^2 \right] \left[ n * \sum Y_2^2 - (\sum Y_2)^2 \right]}} \quad (1)$$

It varies from  $-1$  to  $1$  and provides the information of how well the two series are correlated. When  $r$  is equal to zero, no correlation exists between the two series. For a positive  $r$ , the correlation is positive, which is the maximum for  $r = 1$ ; whereas a negative  $r$  means anti-correlation, and a perfect anti-correlation occurs for  $r = -1$ .

### 2.4. Wavelet and Cross-Wavelet Analysis

The interplanetary and magnetospheric environments are complex and turbulent with non-stationary variations in their parameters (Souza et al., 2016; Marques de Souza et al., 2018). The wavelet transform (WT) is used to study the temporal variability of the power spectral density in such media (Moretton, 2014). The wavelet functions  $\psi(t)$  are generated by a wavelet-mother function shown in Equation 2, which suffers an expansion:  $\psi(t) \rightarrow \psi(2t)$ , and a translation:  $\psi(t) \rightarrow \psi(t + 1)$  in time, resulting in wavelet-daughter functions (Torrence & Compo, 1998):

$$\psi_{a,b}(t) = \frac{1}{\sqrt{a}} \psi\left(\frac{t-b}{a}\right), \quad \text{for } a, b \in \mathbb{Z}, \text{ and } a \neq 0 \quad (2)$$

In the above equation,  $a$  represents the scale associated to the expansion and contraction of the wavelet, and  $b$  is the temporal location, related to the translation in time. The WT applied on  $f(t)$  time series is defined as:

$$WT(a,b) = \int f(t) \psi_{a,b}^*(t) dt, \quad (3)$$

where  $\psi_{a,b}^*(t)$  represents the complex conjugate of the wavelet function  $\psi_{a,b}(t)$ .

In order to obtain the common periods between two time series, the cross-wavelet transform (XWT) can be used (Bolzan & Rosa, 2012). The XWT is given by (Grinsted et al., 2004):

$$XWT^{xy}(a,b) = W^y(a,b) W^x(a,b)^*, \quad (4)$$

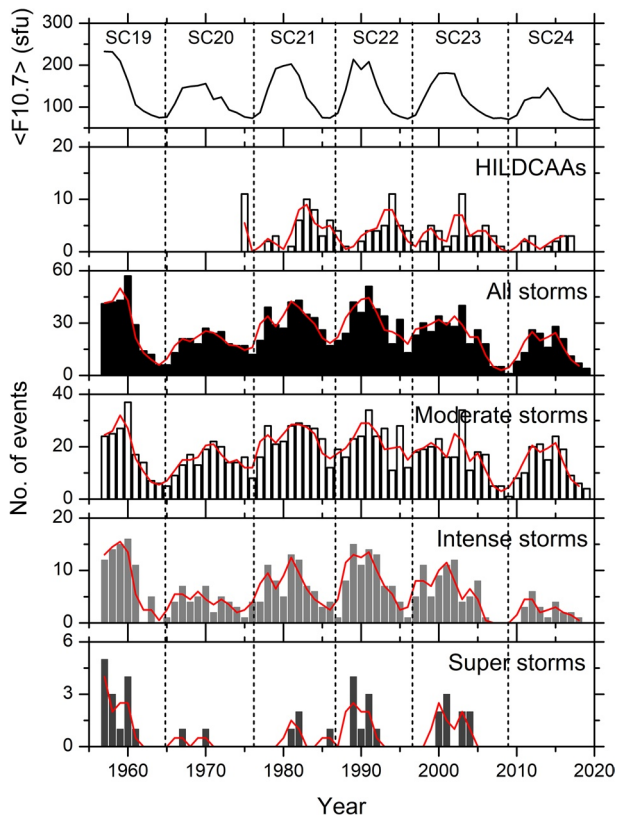
where  $W^x$  and  $W^y$  represent the WT applied on the time series  $x(t)$  and  $y(t)$ , respectively and  $(*)$  represents the complex conjugate of the WT.

The global wavelet spectrum (GWS) is used to precisely identify the most energetic periods present in a time series in the WT analysis, as well as the main periods where the correlation between the two time series is higher in the XWT analysis. The GWS is given by the following equations:

$$GWS_{WT} = \int |WT(a,b)|^2 db \quad (5)$$

and

$$GWS_{XWT} = \frac{\sigma^x \sigma^y}{\sigma^x + \sigma^y} \int |W^{yx}(a,b)|^2 db, \quad (6)$$



**Figure 2.** From top to bottom, the panels show the yearly mean F10.7 solar fluxes, the yearly numbers of HILDCAAs, all geomagnetic storms, moderate storms, intense storms, and super storms, respectively. Superposed red curves in the panels two–six show the 2-year moving averages. The starting and the ending times of each solar cycle are shown by the dashed vertical lines. Numbers of the cycles are shown on the top panel.

values, SC19 is the strongest, and SC24 is the weakest among the cycles in the modern space exploration era, i.e., after 1957 (see Hajra, 2021, for a detailed analysis of SC24). It may be mentioned that the reduction in solar activity is attributed to a steady decline of the solar photospheric magnetic fields (at solar latitudes  $\geq 45^\circ$ ) since  $\sim 1995$  (see, e.g., Janardhan et al., 2010, 2015; Livingston et al., 2012; Sasikumar Raja et al., 2019; Tsurutani et al., 2011, and references therein). We classify SC20 and SC24 as the “weak cycles” (average  $\langle F10.7 \rangle$  peak  $\sim 151$  sfu), and SC19, SC21, SC22 and SC23 as the “strong cycles” (average  $\langle F10.7 \rangle$  peak  $\sim 207$  sfu).

The number of the geomagnetic events in each solar cycle exhibits a clear correlation with the peak  $\langle F10.7 \rangle$  during the cycle (Figure 2). From SC21 through SC24, the yearly HILDCAA occurrence rates (i.e., the numbers of HILDCAAs per year of observation) are  $\sim 3.5$ ,  $\sim 4.0$ ,  $\sim 3.4$ , and  $\sim 1.6$ , respectively. They exhibit a high correlation coefficient  $r = 0.96$  with the solar cycle peak  $\langle F10.7 \rangle$ . The yearly storm occurrence rates for SC19 through SC24 are  $\sim 30.5$ ,  $\sim 18.8$ ,  $\sim 29.4$ ,  $\sim 30.8$ ,  $\sim 23.5$ , and  $\sim 14.5$ , respectively, exhibiting a correlation coefficient of  $r = 0.96$  with the peak  $\langle F10.7 \rangle$ . For the moderate, intense, and super storms, the correlation coefficients ( $r$ ) are 0.87, 0.99, and 0.87, respectively. Thus, the solar cycle  $\langle F10.7 \rangle$  magnitude largely controls the occurrence rates of the magnetic storms and HILDCAAs in a solar cycle. It is interesting to note that while SC24 had a comparable  $\langle F10.7 \rangle$  peak value to SC20, the number of the intense storms was remarkably low, and there was no super storms in SC24. The number of HILDCAAs also decreased drastically in SC24. Thus, SC24 is the weakest in terms of geomagnetic activity as well.

where  $GWS_{WT}$  represents the GWS for the WT analysis and  $GWS_{XWT}$  for the XWT analysis.  $\sigma^x$  and  $\sigma^y$  in Equation 6 represent the variances of  $x(t)$  and  $y(t)$ , respectively.

## 2.5. Data Sources

The geomagnetic Dst (1 h), ap (3 h), and AE (1 min) indices are collected from the World Data Center for Geomagnetism, Kyoto, Japan (<http://wdc.kugi.kyoto-u.ac.jp/>). The 1 h resolution solar wind plasma and IMF data are obtained from the OMNIWeb (<http://omniweb.gsfc.nasa.gov/>). The OMNI database is formed by time-shifting the solar/interplanetary measurements by the NASA’s Advanced Composition Explorer (ACE), Wind and Interplanetary Monitoring Platform 8 (IMP 8) spacecraft to the Earth’s bow shock. The IMF vector components in geocentric solar magnetospheric (GSM) coordinates are used in this work. In the GSM coordinates, the x-axis is directed toward the Sun, and the y-axis is in the  $\Omega \times \hat{x} / |\Omega \times \hat{x}|$  direction, where  $\Omega$  is aligned with the magnetic south pole axis of the Earth. The z-axis completes a right-hand system.

## 3. Results

### 3.1. Solar Cycle Variation of HILDCAAs, Geomagnetic Storms, and Geomagnetic Activity Indices

Figure 2 shows the variations of the yearly mean F10.7 solar flux ( $\langle F10.7 \rangle$ ) as well as the yearly numbers of HILDCAAs and geomagnetic storms of varying intensity under this study. The solar cycle (SC) numbers, from SC19 through SC24, are marked on the top panel. As can be noted from the  $\langle F10.7 \rangle$  variation, the study interval spans from the maximum of SC19 to the end of SC24  $\sim 5.5$  solar cycles. The peak  $\langle F10.7 \rangle$  fluxes in sfu (and approximate duration in year) for the cycles SC19 through SC24 are:  $\sim 233$  (10.5),  $\sim 156$  (11.4),  $\sim 203$  (10.4),  $\sim 213$  (9.9),  $\sim 181$  (12.2),  $\sim 146$  sfu (11.6 years), respectively. Here, 1 sfu (solar flux unit) =  $10^{-22} \text{ Wm}^{-2} \text{ Hz}^{-1}$ . Based on the peak  $\langle F10.7 \rangle$

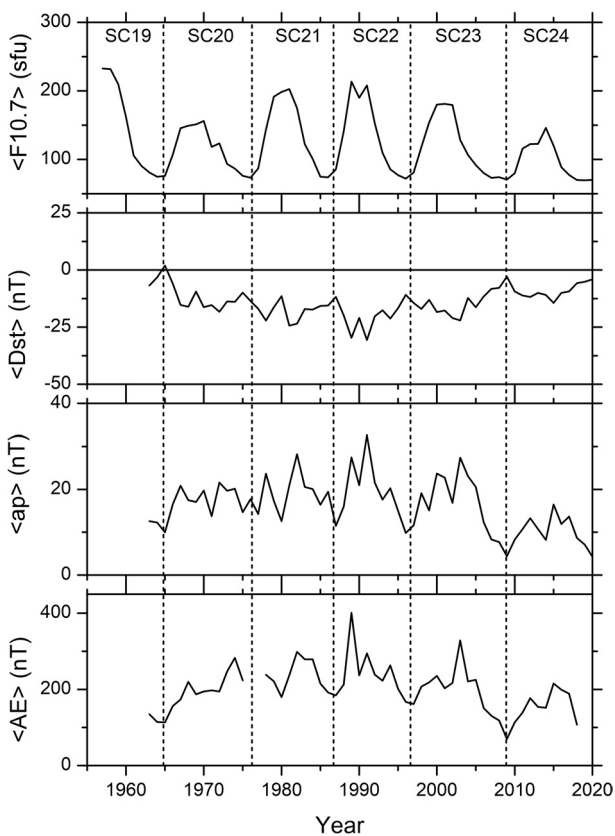


**Table 1**  
Comparison Between the “Strong” (SC19, SC21, SC22, and SC23) and “Weak” (SC20 and SC24) Solar Cycles

	Average for “strong cycles”	Average for “weak cycles”
<F10.7> peak (sfu)	207	151
HILDCAAs (year <sup>-1</sup> )	4	2
All storms (year <sup>-1</sup> )	29	17
Moderate storms (year <sup>-1</sup> )	20	14
Intense storms (year <sup>-1</sup> )	8	3
Super storms (year <sup>-1</sup> )	1.0	0.1
<Dst> peak (nT)	-26	-16
<ap> peak (nT)	29	19
<AE> peak (nT)	343	249
<Bo> peak (nT)	9	7
<Vsw> peak (km s <sup>-1</sup> )	516	490
D500 peak (%)	64	57
<VBs> peak (mV m <sup>-1</sup> )	0.43	0.36
<ε> peak (10 <sup>11</sup> W)	2.68	1.69

Table 1 shows the occurrence rates of HILDCAAs and magnetic storms of varying intensity during the weak and strong cycles. An ~27% reduction in the <F10.7> peak is associated with ~57% reduction in the HILDCAA occurrence rate, ~42% reduction in all storms, ~32% reduction in the moderate storms, ~61% reduction in the intense storms, and ~90% reduction in the super storms during the weak solar cycles compared to the strong cycles.

In each solar cycle, HILDCAAs and magnetic storms can occur at any phase (Figure 2). However, the HILDCAA occurrence peaks around the descending phase. On the other hand, the storm occurrence is more centered around the solar maximum. When storms are separated in intensity, the solar maximum centric occurrence is most prominent for the intense storms, while the moderate storms peak during the descending phase, resulting in an overall dual-peak occurrence pattern of the magnetic storms. These results are consistent with previous reports (e.g., Echer et al., 2008, 2011; Hajra et al., 2013) and attributed to various solar/interplanetary sources of HILDCAAs and magnetic storms (see, e.g., Du, 2011; Du & Wang, 2012; Echer et al., 2004, 2008, 2011; Gonzalez et al., 1990, 1994, 2011; Hajra et al., 2013, 2014, 2020; Kirov et al., 2013; Samsonov et al., 2019; Tsurutani & Gonzalez, 1987; Veretenenko et al., 2020, and references therein, for a more detailed discussion of this topic).



**Figure 3.** From top to bottom, the panels show the yearly mean F10.7 solar fluxes, and the Dst, ap, and AE indices, respectively. The starting and the ending times of each solar cycle are shown by the dashed vertical lines. Numbers of the cycles are shown on the top panel.

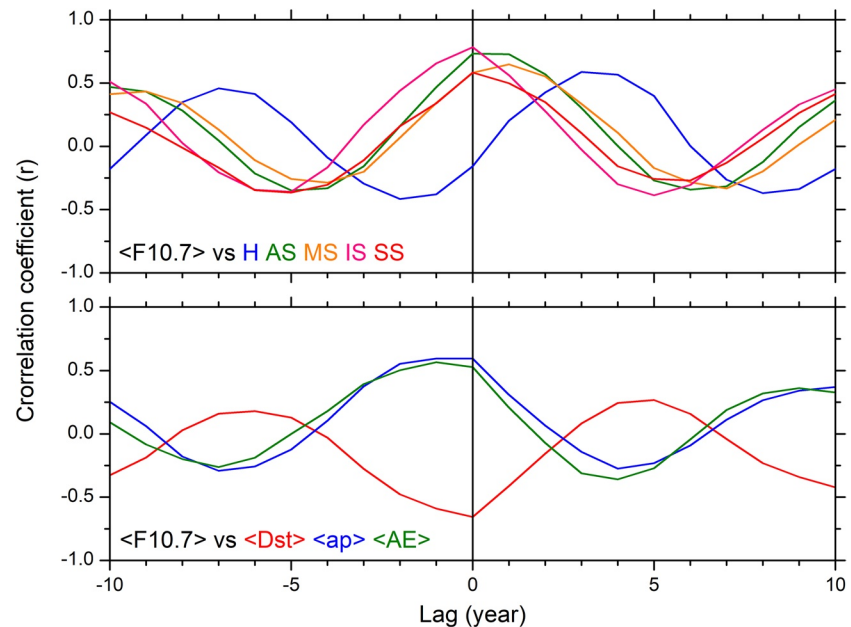
Figure 3 shows the variations of the yearly mean geomagnetic activity indices Dst (<Dst>), ap (<ap>), and AE (<AE>). <F10.7> is repeated from Figure 2 for a reference to the solar cycle (marked on the top panel). The variations of the indices confirm a weaker geomagnetic activity strength during SC20 and SC24 (weak cycles) compared to that during SC21, SC22 and SC23 (strong cycles). According to Table 1, the solar cycle peak values of the indices <Dst>, <ap>, and <AE> exhibit reductions by ~36%, ~35%, and ~27%, respectively during the weak cycles with respect to their values during the strong cycles.

In addition, the geomagnetic activity index averages are quite lower for the weakest cycle 24 (peak <Dst> ~ -14 nT, <ap> ~ 16 nT, and <AE> ~ 216 nT) than even for the equally weak cycle 20 (peak <Dst> ~ -18 nT, <ap> ~ 22 nT, and <AE> ~ 283 nT).

To study the long-term dependence of the geomagnetic events and the geomagnetic indices on the solar cycle, the time-lagged cross-correlation analysis is performed using the yearly mean values of the F10.7 solar flux, the geomagnetic indices, and the yearly numbers of HILDCAAs and magnetic storms. The results are shown in Figure 4. Correlation between HILDCAAs and <F10.7> peaks ( $r = 0.59$ ) at a time lag of ~3 years. This is consistent with the HILDCAA occurrence peaking in the descending phase of the solar cycle (Figure 2).

While all the storms together (AS) exhibit a correlation coefficient  $r = 0.73$  with <F10.7> at a zero time lag, variations can be noted for storms with varying intensity (Figure 4). Correlation of the moderate storms ( $r = 0.65$ ) peaks at ~1-year lag, and correlations of the intense ( $r = 0.78$ ) and super ( $r = 0.58$ ) storms peak at a zero time lag.

The geomagnetic indices <ap> and <AE> exhibit significant positive correlations of  $r = 0.60$  with  $0.57$  at the time lags of 0 and 1 year, respectively with <F10.7>. However, the <Dst> index is anti-correlated ( $r = -0.66$ ) to <F10.7> at the zero time lag.



**Figure 4.** Time-lagged cross-correlation analysis of the geomagnetic events and geomagnetic indices with the  $\langle F10.7 \rangle$  solar flux. The top panel corresponds to HILDCAAs (H), all magnetic storms (AS), moderate storms (MS), intense storms (IS), and super storms (SS). The bottom panel corresponds to the  $\langle Dst \rangle$ ,  $\langle ap \rangle$ , and  $\langle AE \rangle$  indices.

### 3.2. Solar Wind-Magnetosphere Coupling

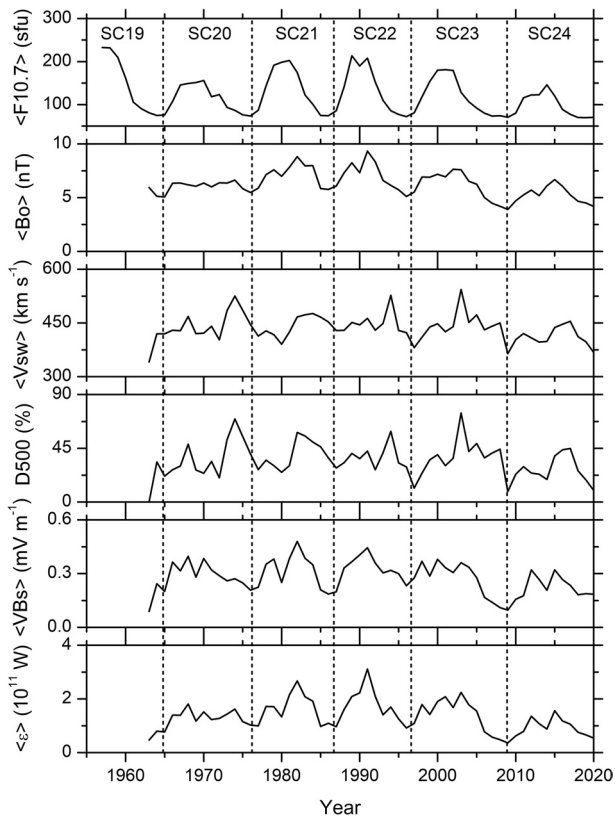
The solar wind plasma and IMF are explored to study the solar wind-magnetosphere coupling processes, leading to the geomagnetic activity variations described in Section 3.1. Figure 5 shows the variations of the yearly mean IMF magnitude  $B_0$  ( $\langle B_0 \rangle$ ), solar wind speed  $V_{sw}$  ( $\langle V_{sw} \rangle$ ), D500, coupling function VBs ( $\langle VBs \rangle$ ), and Akasofu  $\epsilon$ -parameter ( $\langle \epsilon \rangle$ ).  $\langle F10.7 \rangle$  is repeated from Figure 2.

The IMF  $\langle B_0 \rangle$ ,  $\langle VBs \rangle$ , and  $\langle \epsilon \rangle$ -parameter are organized with the solar cycle—increasing and decreasing with the increases and decreases in  $\langle F10.7 \rangle$ , respectively (Figure 5). The solar cycle peaks of  $\langle B_0 \rangle$ ,  $\langle VBs \rangle$ , and  $\langle \epsilon \rangle$ -parameter are correlated with the  $\langle F10.7 \rangle$  peaks. On the other hand, the  $\langle V_{sw} \rangle$  and D500 peaks are observed during the solar cycle descending phase. The solar/interplanetary parameter variations indicate the weakest solar wind-magnetosphere coupling in SC24.

The solar cycle peaks of the IMF magnitude and the solar wind-magnetosphere coupling functions during the weak and strong cycles are listed in Table 1. The weak cycles exhibit  $\sim 23\%$  decrease in  $\langle B_0 \rangle$ ,  $\sim 5\%$  decrease in  $\langle V_{sw} \rangle$ ,  $\sim 10\%$  decrease in D500,  $\sim 17\%$  decrease in  $\langle VBs \rangle$ , and  $\sim 37\%$  decrease in  $\langle \epsilon \rangle$ -parameter compared to those during the strong cycles. The results clearly show, quantitatively, that the weak solar cycles have not only the lower peaks of  $\langle F10.7 \rangle$  but also the decreased values of the solar wind-magnetosphere coupling. The later resulted in the weaker geomagnetic activity indices and lower occurrence rates of HILDCAAs and magnetic storms during the weak cycles compared to the strong ones.

The time-lagged cross-correlation analysis of the HILDCAAs, geomagnetic storms and geomagnetic indices with the IMF and solar wind parameters is performed to study the time variation of their relationships. The results are shown in Figure 6 and are summarized in Table 2.

The HILDCAA occurrence rate exhibits the strongest correlation with  $\langle V_{sw} \rangle$  ( $r = 0.78$ ) and D500 ( $r = 0.74$ ) at the zero time lag. This result confirms a strong association of HILDCAAs with HSSs. However, the correlations of HILDCAAs with  $\langle B_0 \rangle$  ( $r = 0.51$ ),  $\langle VBs \rangle$  ( $r = 0.46$ ), and  $\langle \epsilon \rangle$  ( $r = 0.52$ ) are weaker, and they peak at the time lags of  $\sim 3$ ,  $\sim 3$ , and  $\sim 2$  years, respectively. On the other hand, the geomagnetic storms, from moderate to intense, are strongly correlated with  $\langle B_0 \rangle$  and solar wind-magnetosphere coupling functions at the zero time lag. There is no significant correlation between the magnetic storms and  $\langle V_{sw} \rangle$  or D500.



**Figure 5.** From top to bottom, the panels show the yearly mean F10.7 solar fluxes, IMF  $B_0$ ,  $V_{sw}$ , D500, VBs, and Akasofu  $\epsilon$ -parameter, respectively. The starting and ending times of each solar cycle are shown by the dashed vertical lines. Numbers of the cycles are shown on the top panel.

The geomagnetic indices  $\langle Dst \rangle$ ,  $\langle ap \rangle$ , and  $\langle AE \rangle$  exhibit significant correlation with  $\langle B_0 \rangle$ ,  $\langle VBs \rangle$ , and  $\langle \epsilon \rangle$ . While  $\langle AE \rangle$  shows some association with  $\langle V_{sw} \rangle$  and D500, correlations of  $\langle Dst \rangle$  and  $\langle ap \rangle$  with  $\langle V_{sw} \rangle$  and D500 are poor.

### 3.3. Long-Term Trends in Solar and Geomagnetic Activity: Wavelet and Cross-Wavelet Analyses

The aim of this section is to investigate the long-term trends (periodicity) in the geomagnetic activity and the driving solar and interplanetary parameters. Figure 7 shows the representative wavelet analysis of the yearly mean F10.7 and  $V_{sw}$ . From the  $\langle F10.7 \rangle$  wavelet spectrum periodogram (Figure 7 [middle panel]), a strong power can be seen concentrated around the 10–11-year period inside the “cone of influence.” As the “edge effect” may be significant outside the cone of influence, any period observed outside this region is ignored. The wavelet periodogram shows a continuous energy distribution around the 10–11-year period during the entire interval of the study. The global wavelet spectrum shows the highest amplitude precisely at the  $\sim 10.9$ -year period.

The wavelet spectrum of  $\langle V_{sw} \rangle$  is comparatively more complex with additional periods (Figure 7 [bottom panel]). Several significant periods (with strong power) are recorded inside the cone of influence. More precisely, from the corresponding global wavelet spectrum,  $\sim 9.8$ -year period has the strongest amplitude, followed by the amplitudes of  $\sim 16.2$ -,  $\sim 4.4$ -, and  $\sim 2.5$ -year periods (in the decreasing order of amplitude). The  $\sim 9.8$  and  $\sim 16.2$ -year periods have the continuous distribution in time. On the other hand, the period of  $\sim 4.4$  years has a quasi-continuous distribution, and the  $\sim 2.5$ -year period has an intermittent distribution, where the regions with higher energy are during the solar cycle descending phase. The complex spectrum of  $\langle V_{sw} \rangle$  may be indicative of the multiple origins of the fast solar winds, namely, HSSs from the coronal holes (Bame et al., 1993; Burlaga et al., 1978; Krieger et al., 1973; Sheeley &

Harvey, 1981), the interplanetary coronal mass ejections (ICMEs: Illing & Hundhausen, 1986; Odstrčil & Pizzo, 1999; Palmerio et al., 2018; Yurchyshyn et al., 2007), and the shocked solar wind behind the interplanetary shocks (Kennel et al., 1985; Tsurutani et al., 1988).

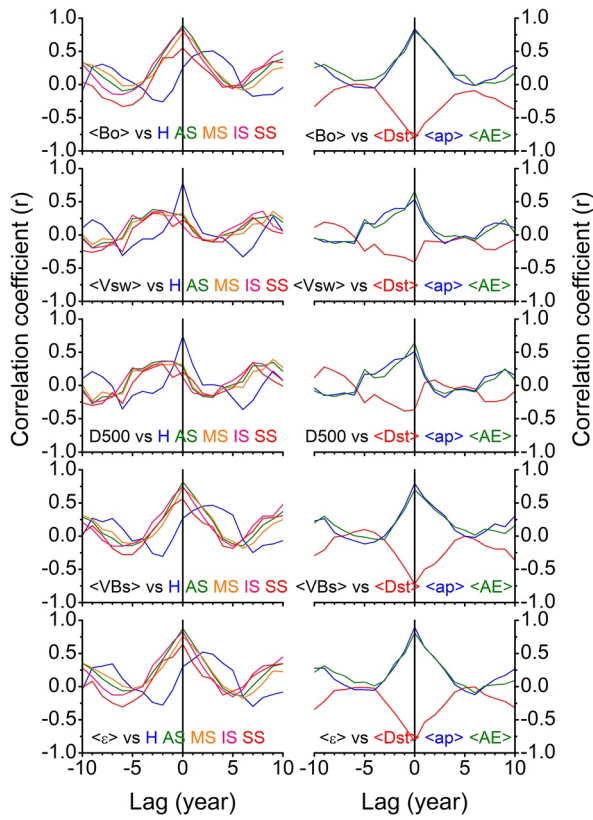
Similar wavelet analysis is performed for the IMF  $\langle B_0 \rangle$ , D500,  $\langle VBs \rangle$ ,  $\langle \epsilon \rangle$ -parameter, HILDCAAs, and geomagnetic storms of varying intensity, as well as for the geomagnetic indices  $\langle Dst \rangle$ ,  $\langle ap \rangle$  and  $\langle AE \rangle$ . The results are summarized in Table 3. All of the solar and interplanetary parameters have a common periodicity of  $\sim 10$ – $11$  years, which has a source in the solar cycle. Additional, significant (inside the cone of influence) periods of  $\sim 15$ – $16$  years and  $\sim 3$ – $5$  years are suggested to be induced by  $\langle V_{sw} \rangle$  or D500.

**Table 2**  
The Peak Time-Lagged Cross-Correlation Coefficients

	HILDCAA	AS	MS	IS	SS	$\langle Dst \rangle$	$\langle ap \rangle$	$\langle AE \rangle$
$\langle B_0 \rangle$	0.51 (3)	0.89 (0)	0.78 (0)	0.85 (0)	0.55 (0)	−0.82 (0)	0.84 (0)	0.81 (0)
$\langle V_{sw} \rangle$	0.78 (0)	0.38 (−3)	0.35 (9)	0.37 (−2)	0.24 (−2)	−0.41 (0)	0.54 (0)	0.66 (0)
D500	0.74 (0)	0.37 (−2)	0.39 (9)	0.36 (−1)	0.34 (7)	−0.39 (−1)	0.51 (0)	0.64 (0)
$\langle VBs \rangle$	0.46 (3)	0.82 (0)	0.73 (0)	0.75 (0)	0.56 (0)	−0.73 (0)	0.79 (0)	0.70 (0)
$\langle \epsilon \rangle$	0.52 (2)	0.88 (0)	0.76 (0)	0.83 (0)	0.64 (0)	−0.83 (0)	0.90 (0)	0.81 (0)

Note: Numbers in the parentheses are the time lags in year.





**Figure 6.** Time-lagged cross-correlation analysis of the geomagnetic event numbers and the geomagnetic indices with the IMF and solar wind parameters. The left panels correspond to the yearly numbers of HILDCAAs (H), all storms (AS), moderate storms (MS), intense storms (IS), and super storms (SS), while the right panels correspond to the geomagnetic indices <Dst>, <ap>, and <AE>. The panels from the top to bottom correspond to the IMF <Bo>, <Vsw>, D500, <VBs>, and <ε> -parameter, respectively.

**Table 3**  
Wavelet Analysis Result

	Periods (year)
<F10.7>	10.9
<Bo>	10.9
<Vsw>	9.8, 16.2, 4.4, 2.5
D500	10.3, 15.3, 4.5, 2.5
<VBs>	11.1
<ε>	10.9
HILDCAA	10.0, 4.1
All storm	11.0, 2.7
Moderate storm	10.9, 2.5
Intense storm	11.0, 3.4
Super storm	10.9, 15.4, 3.2
<Dst>	10.8, 5.3
<ap>	10.9
<AE>	11.4, 14.4, 7.7, 5.3, 2.5

Note: The periods are arranged in the descending order of amplitude.

In addition to the ~10–11-year period, HILDCAAs exhibit a significant period of ~4 years, and the geomagnetic storms exhibit the secondary periods of ~15 and ~3 years. The <Dst> index has an additional period of ~5 years, and <AE> exhibits the periods of ~14, ~8, ~5, and ~3 years in addition to the ~11-year period. The ~3–5-year period is attributed to the dual-peak solar cycle variation (Clúa de Gonzalez et al., 1993; Gonzalez et al., 1990), and the ~16–18-year period to the coronal hole topology variation (Makarov & Sivaraman, 1989).

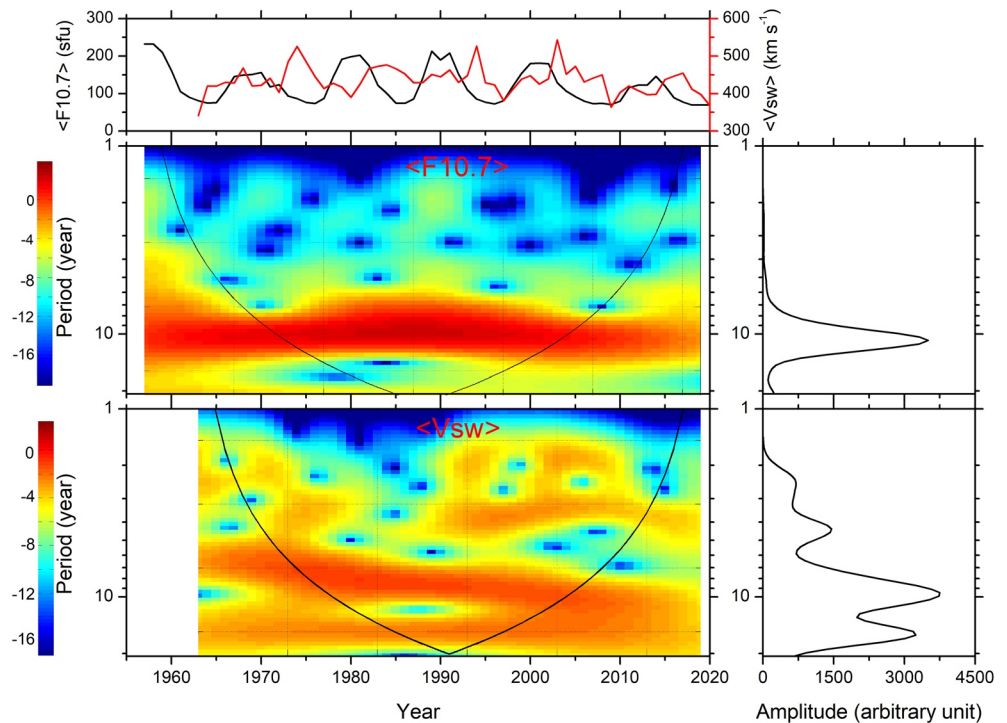
In order to identify the sources of the periodic variations of the geomagnetic activity, the cross-wavelet analysis is performed between the geomagnetic activity, and the solar and interplanetary parameters. Figure 8 shows the cross-wavelet analysis between HILDCAAs and <F10.7> (top panel) and between HILDCAAs and <Vsw> (bottom panel). The common periods in each case are shown in the corresponding global wavelet spectra on the right. As expected, the HILDCAAs versus <F10.7> cross-wavelet spectrum (as well as the corresponding global wavelet spectrum) reveals a significant ~10-year period. The ~9.9-year period in the HILDCAAs versus <Vsw> cross-wavelet spectrum has a source in the solar cycle (remember that HILDCAAs are not in phase with the <F10.7> variation). An additional ~4-year common period is confirmed between HILDCAAs and <Vsw>.

Figure 9 shows the cross-wavelet analysis of all storms with <F10.7> and <Vsw>. As in case of the HILDCAAs (Figure 8), while the ~11-year periodicity in the storms is correlated with that in <F10.7>, the <Vsw> variations induce a shorter period of ~4 years, however, with a smaller amplitude.

#### 4. Summary

We presented an up-to-date long-term database of the magnetic storms and HILDCAAs using all available geomagnetic Dst (1 h resolution) and AE (1 min) indices. The yearly variations of the geomagnetic events are used to explore the statistical characteristics of the geomagnetic activity for more than five solar cycles. The results are compared with the long-term trends in the driving solar wind-magnetosphere coupling. In addition, the solar wind-magnetosphere coupling and the geomagnetic activity are compared between the weak and strong solar cycles. The main results are summarized below.

1. The occurrence rates of the HILDCAAs and the geomagnetic storms are strongly correlated with the peak F10.7 solar cycle magnitude.
2. The magnetic storms of varying intensity exhibit a strong correlation ( $r = 0.58–0.78$ ) with the yearly mean F10.7 solar flux at the 0–1-year time lag. This result is consistent with the storm occurrence centered around the solar cycle maximum, with a secondary peak following the solar maximum due to the moderate storms. HILDCAAs exhibit a weaker correlation ( $r = 0.59$ ) with F10.7 at a time lag of ~3 years. This is consistent with the HILDCAA occurrence peaking around the descending phase of the solar cycle.
3. HILDCAAs exhibit the strongest correlation with Vsw ( $r = 0.78$ ) and D500 ( $r = 0.74$ ) at the zero time lag, indicating the most important role of the solar wind HSSs in causing the HILDCAAs. The correlations of HILDCAAs with the IMF Bo ( $r = 0.51$ ), VBs ( $r = 0.46$ ), and Akasofu  $\epsilon$ -parameter ( $r = 0.52$ ) are weaker, and they peak at the time lags of ~2–3 years.

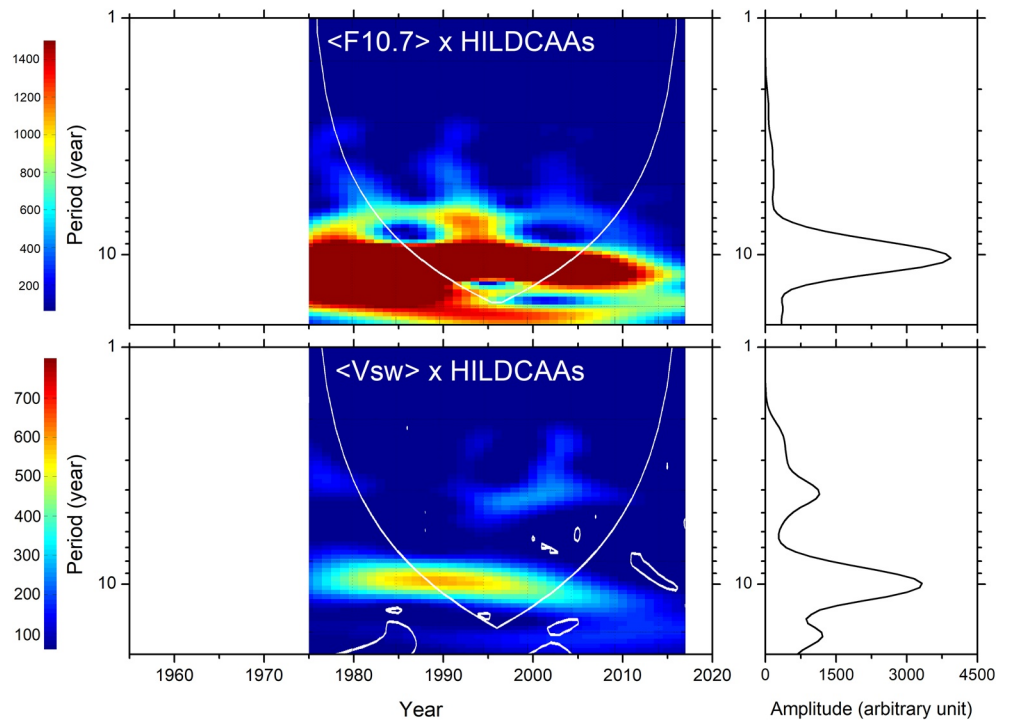


**Figure 7.** Wavelet analysis of  $\langle F10.7 \rangle$  and  $\langle V_{sw} \rangle$ . The top panel shows the yearly variations of  $\langle F10.7 \rangle$  (black curve, legend on the left) and  $V_{sw}$  (red curve, legend on the right). The middle and the bottom panels show the wavelet spectrum periodograms of  $\langle F10.7 \rangle$  and  $\langle V_{sw} \rangle$ , respectively. The cone of influence is shown by the black curve in the wavelet panels. The color bars on the left indicate the wavelet spectral power of the observed periods in arbitrary units. Panels on the right show the global wavelet spectrum indicating the significant periods.

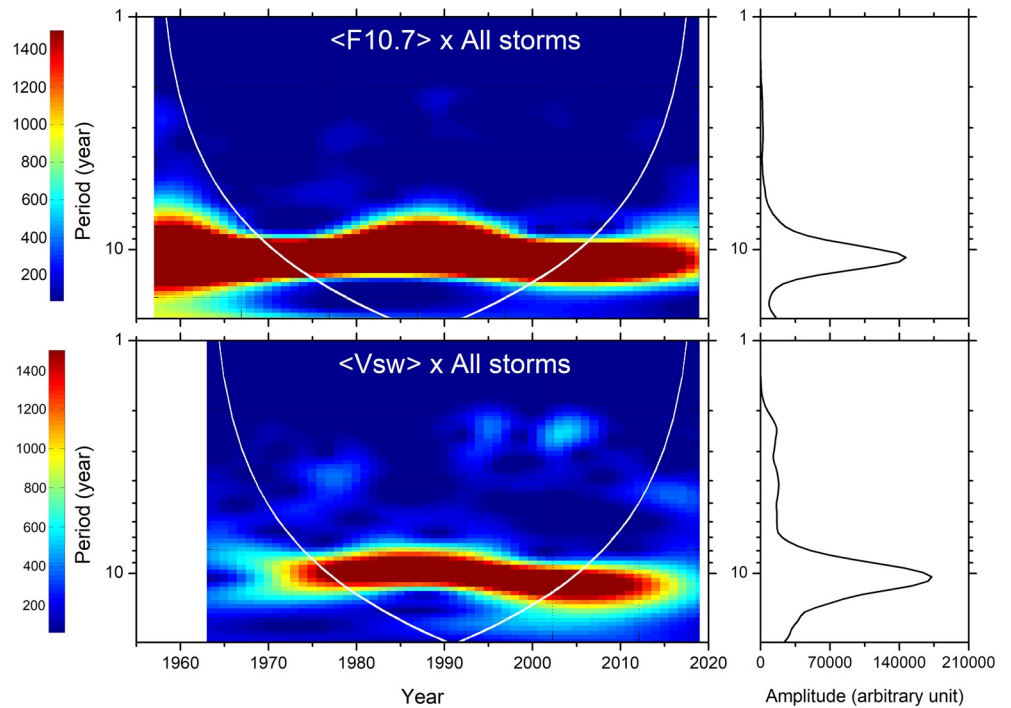
4. The geomagnetic storms, from moderate to intense, exhibit significantly high correlations with the IMF  $B_0$  ( $r = 0.78\text{--}0.89$ ), VBs ( $r = 0.73\text{--}0.82$ ), and  $\epsilon$  ( $r = 0.76\text{--}0.88$ ) at the zero time lag. They exhibit very weak correlation with  $V_{sw}$  or D500.
5. The geomagnetic storm and HILDCAA occurrence rates, the geomagnetic activity indices, the solar wind and interplanetary parameters exhibit a dominating  $\sim 10\text{--}11$ -year periodicity. This is attributed to the  $\sim 11$ -year solar cycle variation. However, not all of these parameters are in phase with the solar cycle.
6. The solar wind  $V_{sw}$  and D500 exhibit periodicities of  $\sim 15\text{--}16$  and  $\sim 3\text{--}5$  years. They induce  $\sim 4$ -year period in HILDCAAs,  $\sim 3$ -year period in the magnetic storms,  $\sim 5$ -year period in Dst, and  $\sim 5$  and  $\sim 14$ -year periods in AE.
7. The solar cycles 20 and 24 are not only weaker in the F10.7 solar flux peak (average  $\sim 151$  sfu) than the cycles 19, 21, 22, and 23 (average  $\sim 207$  sfu) but also are characterized by significantly weaker (5% – 37%) solar wind-magnetosphere coupling resulting in the reduced numbers of HILDCAAs ( $\sim 57\%$ ) and magnetic storms ( $\sim 32\%\text{--}90\%$ ).
8. The recently complete solar cycle 24 is found to be the weakest of the cycles in the space exploration era, with the lowest solar flux peak ( $\sim 146$  sfu), the reduced IMF, solar wind plasma speed and solar wind-magnetosphere energy coupling compared to the previous cycles. These resulted in the lowest numbers of HILDCAAs and geomagnetic storms compared to the previous solar cycles and no super storms in solar cycle 24.

## 5. Discussion and Conclusions

From the study of the long and updated database of HILDCAAs, magnetic storms and solar/interplanetary data, it is concluded that the solar cycle magnitude has a strong modulation on the solar wind-magnetosphere energy coupling and the resultant geomagnetic activity. The solar cycle phase dependencies of the HILDCAAs and magnetic storms are in good agreement with the previous reported results (e.g., Clúa de



**Figure 8.** Cross-wavelet analysis of HILDCAAs with  $\langle F10.7 \rangle$  and  $\langle Vsw \rangle$ . The cone of influence is shown by the white curve in each panel. The color bars on the left indicate the wavelet spectral power of the observed periods in arbitrary units. Panels on the right show the global wavelet spectrum indicating the significant common periods.



**Figure 9.** Cross-wavelet analysis of all magnetic storms with  $\langle F10.7 \rangle$  and  $\langle Vsw \rangle$ . The cone of influence is shown by the white curve in each panel. The color bars on the left indicate the wavelet spectral power of the observed periods in arbitrary units. Panels on the right show the global wavelet spectrum indicating the significant common periods.

Gonzalez et al., 1993; Echer et al., 2004, 2008, 2011; Gonzalez et al., 2011; Hajra et al., 2013, 2014; Rawat et al., 2018, and references therein). Presence of the ~11-year periodicity in the solar wind-magnetosphere coupling and the geomagnetic activity confirms that the space climate is dominated by the solar cycle variation. The fast solar winds have also pronounced impact on the space climate as can be seen in the additional longer (~15–16 years) and shorter (~3–5 years) time scale variations of the geomagnetic activity.

In the space exploration era (i.e., after 1957), the solar activity cycles 20 and 24 are found to be significantly weaker than the cycles 19, 21, 22, and 23. They broadly define the space climatology. It was shown that the solar wind parameters and the consequent magnetospheric response are different in these two cycle groups. The weaker solar magnetic field leads to a lower IMF magnitude, a lower solar wind pressure and a lesser solar wind kinetic energy available for driving the magnetospheric activity. As a consequence, the numbers of the magnetic storms and HILDCAAs as well as the average geomagnetic activity decrease from the strong to the weak solar cycles.

The recently complete solar cycle 24 is found to be very weak in terms of the solar and magnetospheric activity. There have been some studies that have predicted a trend for the solar activity entering in a period of a grand minimum or a Dalton type minimum (e.g., Gonçalves et al., 2020; Jiang & Cao, 2018; Upton & Hathaway, 2018; Wang, 2017, and references therein). If this really occurs, the weak cycle 24 leads us to expect a much lower solar wind energy input in the magnetosphere, and as a consequence a significant decrease in the geomagnetic activity. This has large impacts on the space weather effects and technological applications. On the other hand, a reduced solar activity will cause a higher flux of cosmic rays in the near-Earth space, which can largely impact the manned missions at the low-Earth orbit or to the Moon and Mars. Finally, the lists of the magnetic storms and HILDCAAs compiled in this work might be of interest to the space weather researchers.

### Data Availability Statement

The solar wind plasma and IMF data used in this work are obtained from the OMNI website (<https://omni-web.gsfc.nasa.gov/>). The geomagnetic indices are obtained from the World Data Center for Geomagnetism, Kyoto, Japan (<http://wdc.kugi.kyoto-u.ac.jp/>). The lists of the magnetic storms and HILDCAAs compiled in this work can be accessed through: <https://doi.org/10.26022/IEDA/111826>.

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